

# New Method of Image Retrieval Using Fractal Code on the Compression Domain

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*Abstract:* - Image retrieval and indexing techniques are important for efficient management of visual database. Many techniques are generally developed based on the associated compression domain. In the fractal domain, a fractal code is a contractive affine mapping that represents a similarity relation between the range block and the domain block in an image. A new algorithm of IFS fractal code for image retrieval on the compression domain is presented in this paper. First, the inquired image and each image in the database are encoded by Jacquin fractal coding. Second, the image fractal feature vector and the distance of fractal code between two images are defined, and the distance between the inquired image and current image in the database are computed one by one. Finally, the preceding n frame images which are the smallest distance sum of fractal code are taken as the retrieval result. Experimental results show that compared with the direct image pixels similar matching strategy, our scheme shortens the retrieval time of compression domain greatly and guarantees the retrieval accuracy. Our proposed method is effective and feasible.

*Key-Words:* - Fractal code; Iterated function system; Image retrieval; Compression domain

## 1 Introduction

In recent years, more and more applications such as digital libraries, geographical map and medical image management, require effective and efficient means to access images. Up and now, there are two main image retrieval methods: the text-based image retrieval and the content-based image retrieval. Text-based image retrieval is based on key words. It is easy to be implemented. However, the more the attributes are abstracted, the more information the users need to input. To overcome the limitation of the traditional text-based image retrieval, the inquiring retrieval is based on the content of an image, including color, shape, texture and the object's special relationship<sup>[1-2]</sup>. However, It is limited by the development of correlated subjects, such as image procession, pattern recognition and computer visualization. Furthermore, it has higher complexity.

In this paper, we focus on fractal image compression and propose a novel image retrieval method of IFS fractal code for image retrieval on compression domain. First, each image in the database is compressed by Jacquin fractal coding and IFS fractal code is obtained, which cost much time in fractal coding. Second, the distance of query image and the image in the database is calculated

using the distribution character of fractal code. Finally, the preceding n frame images which are the smallest distance sum of fractal code are taken as the retrieval result. Experimental results show that our scheme is effective and feasible.

The balance of the paper is organized as follows. Related work is stated in Section 2. CBIR techniques and system are described in Section 3. fractal Image coding is presented in Section 4. Our retrieval method is proposed in Section 5. Experimental results and discussions are given in Section 6. Finally, concluding remarks are drawn in Section 7.

## 2 Related Work

In the common scheme, the performance of the system greatly depends on the process of feature extraction from original image sets. Most current image search engines have treated the original image set for retrieval. It is indispensable to extract features from the images that are obtained from compression image data by decoding and to create the additional database of features for retrieval. However, the compression code is available for image retrieval, practical advantages can be obtained.

Given most images and videos stored in the compressed form, it is highly desirable to perform content-based visual retrieval directly in the compression domain. In other words, extraction of visual features, matching of images and videos, or even manipulations of search results can be implemented using the compression visual data without decompression (or sometimes with minimal decoding). The advantage of performing these tasks in the compression domain is obvious. The computational cost can be greatly reduced compared to the alternative which fully decodes the compression material and executes the above tasks in the uncompressed domain. Not only that the decoding process is avoided, the amount of data in the compression domain is also lower than in the uncompressed domain. There are many retrieval methods using compression techniques such as Wavelet, DCT, VQ, Fractal, and so on<sup>[3]</sup>.

A fractal code of an image is a compression code generated by exploiting the self-similarity of the image. The original image can be decoded with an arbitrary resolution from the fractal coded image. These advantages make fractal coding an extremely promising compression method that is suitable for the development of image retrieval systems in the compression data domain. The prospects of fractal coding in the content-based image retrieval was first discovered by A.D.Sloan<sup>[4]</sup>. He proposed a method that directly coded the patched up images in the image database. For any range block, there exists a corresponding domain block in any image of the image database and the similarity between two images, say A and B, could be measured by the total domain numbers in image B for all the range blocks in image A. However the computational complexity of his approach is high. Further research can be referenced in Ref[4-15]. Joint fractal coding based image retrieval<sup>[4]</sup> and the retrieval method combining the ninth furcated tree decomposition and the fractal coding<sup>[5]</sup> are proposed. A.X.Hong<sup>[6]</sup> extended the fractal coding matching strategy in the polar coordinates and S.Y.Yang<sup>[7]</sup> put forward a content-based image retrieval method which can be executed in the fractal compression domain and does not need to do fractal coding of the iconic image. Z.Y.Wang<sup>[8]</sup> proposed a block-constrained fractal coding scheme and a matching strategy for content-based image retrieval. T.D.Chen<sup>[9-10]</sup> used image topology characteristic of Iterative Function System (IFS) to image deposit and retrieval. Y.Xu<sup>[11]</sup> proposed a new fractal coding based indexing technique using histogram of collage errors which is a quantitative measure of the similarity between range block and “best-match” domain

block. Fractal dimension, vectors and distance distribution histogram<sup>[12-13]</sup> are used for image retrieval. According to the feature that the domain block is in one-to-one correspondence with the least mean square error, G.R.Jin<sup>[14]</sup> put forward a multi-pose-and-expression face retrieval method. Liangbin Zhang<sup>[15]</sup> uses the inquired image entropy to classify the image database and gives a novel fractal retrieval method of the same kind images.

### 3 CBIR Techniques and Systems

#### 3.1 Image Retrieval and Information Retrieval

Recent technology development in various fields has made large digital image databases practical. Well organized database and efficient browsing, storing, and retrieval algorithms are very important in such systems. Image retrieval techniques were developed to aid these components.

Image Retrieval was originated from Information Retrieval<sup>[16]</sup>, which has been very active research topic since 1940s. The question was simply stated: “We have huge amounts of information to which accurate and speedy access is becoming ever more difficult.” In principle, Information Retrieval is simple. It can be illustrated by a scene of a store of documents and a person (user of the store). He formulates a question to which the answer is a set of documents satisfying his question. He can obtain the set by reading all the documents in the store, retaining the relevant documents and discarding all the others. In this scene, it is a “perfect” retrieval. But in practice, we need to model the “read” process in both syntactic and semantic to extract useful information. The target of Information Retrieval is not only “how to extract useful information”, but also “how to measure relevance among documents”. These challenges also exist in image retrieval.

Since the 1970s image retrieval has become a very active research topic, with two major research communities, database management and computer vision. One is text-based and another is visual-based. Text-based image retrieval has become very popular since 1970s, which involves annotating the image with keywords, and use text-based database management systems (DBMS) to retrieve the images. In text-based image retrieval system, keywords of semantic information are attached to the images. They can be typed manually or by extracting the captions of the images. It is very efficient for simple and small image databases, since the whole database can be described by just few hundreds of keywords. But in the 1990s, several



applications still need to be done to explore the trade-off among the different options mentioned above. Here, we selected representative systems in image retrieval and highlight their distinct characteristics.

#### (1)QBIC

QBIC (Query By Image Content)<sup>[18-19]</sup>, is the first commercial CBIR system developed by IBM. Its structure and techniques used have made a great effect on most of the later image retrieval systems. QBIC supports queries based on example images, user-constructed sketches and drawings, and selected color and texture patterns, etc. QBIC also takes into account of the high dimensional feature indexing. In its indexing subsystem, KLT is first used to perform dimension reduction and then R\*-tree is used as the multidimensional indexing structure. In the system, text-based keyword search can be combined with content-based similarity search. A QBIC-based system is available at: <http://www.hermitagemuseum.org/cgi-bin/db2www/qbicSearch.mac/qbic?selLang=English>

#### (2)Photobook

Photobook<sup>[20]</sup> is a set of interactive tools for browsing and searching images developed at the MIT Media Lab. Photobook consists of three sub-books from which shape, texture, and face features are extracted, respectively. Users can then query, based on the corresponding features in each of the three sub-books. The Photobook implemented human perception in image annotation and retrieval. Since there was no single feature which can best model images from each and every domain, and a human's perception is subjective, they proposed a "society of model" approach to incorporate the human factor. Experimental results show that this approach is effective in interactive image annotation. Demo of Photobook can be found at: <http://www-white.media.mit.edu/vismod/demos/facerec/basic.html>.

#### (3) VisualSEEK and WebSEEK

VisualSEEK<sup>[21]</sup> is a visual feature search engine and WebSEEK<sup>[22]</sup> is a World Wide Web oriented text image search engine, both of which are developed at Columbia University. Main research features are spatial relationship query of image regions and visual feature extraction from compressed domain. The visual features used in their systems are color set and wavelet transform based texture feature. To speed up the retrieval process, binary tree based indexing algorithms is also developed. VisualSEEK

supports queries based on both visual features and their spatial relationships.

We have also introduced some popular CBIR systems in this chapter, from classics like IBM's QBIC to other recently developed systems. All of them use low level features, one reason is image semantics still not practical for automatic searching. Among these CBIR systems, the datasets are different, and feature descriptions are also different. Also they are all isolated from each other; the data used in one system may not be able to use in other systems directly. It is difficult to compare these systems and methods. It is necessary to have a common environment for image feature interchange.

## 4 Fractal Image Coding

### 4.1 Self-affine and Self-similar Transformations

The fractal image compression algorithm is based on the fractal theory of self-similar and self-affine transformations<sup>[23]</sup>. Some basic definitions:

1. A self-affine transformation  $w: R^n \rightarrow R^n$  is a transformation of the form  $w(x) = T(x) + b$ , where  $T$  is a linear transformation on  $R^n$  and  $b \in R^n$  is a vector.
2. A mapping  $w: D \rightarrow D$ ,  $D \subseteq R^n$  is called a contraction on  $D$  if there is a real number  $c$ ,  $0 < c < 1$ , such that  $d(w(x), w(y)) \leq cd(x, y)$  for  $x, y \in D$  and for a metric  $d$  on  $R^n$ . The real number  $c$  is called the contractility of  $w$ .
3. If  $d(w(x), w(y)) = cd(x, y)$ , then  $w$  is called a similarity.

A family  $\{w_1, \dots, w_m\}$  of contractions is known as a local iterated function system (LIFS). If there is a subset  $F \subseteq D$  such that for a LIFS  $\{w_1, \dots, w_m\}$ ,

$$F = \bigcup_{i=1}^m w_i(F) \quad (4)$$

then  $F$  is said to be invariant for that LIFS. If  $F$  is invariant under a collection of similarities,  $F$  is known as a self-similar set.

Let  $S$  denote the class of all non-empty compact subsets of  $D$ . The  $\delta$ -parallel body of  $A \in S$  is the set of points within distance  $\delta$  of  $A$ , i.e.

$$A_\delta = \{x \in D: |x - a| \leq \delta, a \in A\}. \quad (5)$$

Let us define the distance  $d(A, B)$  between two sets  $A, B$  to be

$$d(A, B) = \inf\{\delta: A \subset B_\delta \wedge B \subset A_\delta\} \quad (6)$$

The distance function is known as the Hausdorff metric on  $S$  (other distance functions can also be used).

Given a LIFS  $\{w_1, \dots, w_m\}$ , there exists an unique compact invariant set  $F$ , such that

$$F = \bigcup_{i=1}^m w_i(F) \tag{7}$$

This  $F$  is known as the attractor of the system.

If  $E$  is a compact non-empty subset such that  $w_i(E) \subset E$  and

$$w(E) = \bigcup_{i=1}^m w_i(E) \tag{8}$$

We define the  $k$ -th iteration of  $w$ ,  $w^k(E)$ , to be

$$w^0(E) = E, w^k(E) = w(w^{k-1}(E)) \tag{9}$$

for  $k \geq 1$ , then we have

$$F = \bigcap_{i=1}^{\infty} w^k(E) \tag{10}$$

The sequence of iteration  $w^k(E)$  converges to the attractor of the system for any set  $E$ . This means that we can have a family of contractions that approximate complex images and, using the family of contractions, the images can be stored and transmitted in a very efficient way. Once we have a LIFS, it is straightforward to obtain the encoded image.

If we want to encode an arbitrary image in this way, we will have to find a family of contractions so that its attractor is an approximation to the given image. Barnsley's Collage Theorem states how well the attractor of a LIFS can approximate the given image.

### 4.2 Collage Theorem

Let  $\{w_1, \dots, w_m\}$  be contractions on  $R^n$  so that

$$|w_i(x) - w_i(y)| \leq c|x - y|, \forall x, y \in R^n \wedge \forall i \tag{11}$$

where  $c < 1$ . Let  $E \subset R^n$  be any non-empty compact set. Then

$$d(E, F) \leq \frac{1}{(1-c)} d(E, \bigcup_{i=1}^m w_i(E)) \tag{12}$$

where  $F$  is the invariant set for the  $w_i$ , and  $d$  is the Hausdorff metric [23].

As a consequence of this theorem, any subset of  $R^n$  can be approximated within an arbitrarily tolerance by a self-similar set, i.e., given  $\delta > 0$ , there exist contracting similarities  $\{w_1, \dots, w_m\}$

with invariant set  $F$  satisfying  $d(E, F) < \delta$ . Therefore, the problem of finding a LIFS  $\{w_1, \dots, w_m\}$  whose attractor  $F$  is arbitrary close to a given image  $I$  is equivalent to minimize the

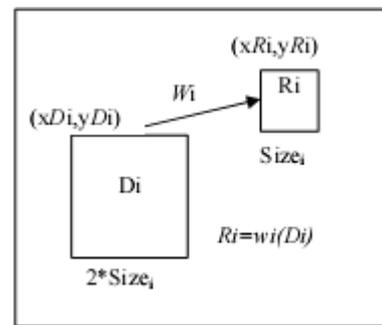
$$\text{distance } d(I, \bigcup_{i=1}^m w_i(I))$$

### 4.3 Jacquin Image Coding

Fractal image coding makes good uses of image self-similarity in space by ablating image geometric redundant. Fractal coding process is quite complicated but decoding process is very simple, which makes use of potentials in high compression ratio. The main theory of fractal image coding is based on iterated function system, attractor theorem, and collage theorem. Regard original compressible image as attractor, how to get LIFS parameters is main problem of fractal coding.

We explain the basic procedure for the fractal image coding which is namely Jacquin coding [23].

1. A given image  $I$  is divided into non-overlapping  $M$  range blocks of size  $B \times B$  and into arbitrarily located  $N$  domain blocks of size  $2B \times 2B$ . The range blocks are numbered from 1 to  $M$ , and represented by  $R_i (1 \leq i \leq M)$ . Similarly, the domain blocks are from 1 to  $N$ , and represented by  $D_j (1 \leq j \leq N)$ .



**Fig.2  $w_i$  represents the similarity relation between the range  $R_i$  and its similar domain  $D_i$**

2. As is shown in Fig.2, for each range block  $R_i$ , the best matched domain  $D_k (1 \leq k \leq N)$  and an appropriate contractive affine transformation  $\tau_{ik}$  which satisfy the following equation are found as

$$d(R_i, \tau_{ik}(D_k)) = \min d(R_i, \tau_{ij}(D_j)) \tag{13}$$

Where  $\tau_{ij}$  is an contractive affine transformation from the domain block  $D_j$  to the range block  $R_i$ ; the distortion measure  $d(R_i, \tau_{ij}(D_j))$  is the mean square

error (MSE) between the range block  $R_i$  and the contractive domain block  $\tau_{ij}(D_j)$ . The contractive affine transformation  $\tau_{ij}$  is composed of two mappings  $\phi_j$  and  $\theta_{ij}$  as follows:

$$\tau_{ij} = \theta_{ij} \circ \phi_j \tag{14}$$

The first mapping  $\phi_j$  is the transformation of domain-block size to the same size as range blocks. This transformation can be described as follows:

The domain block  $D_j$  is divided into non-overlapping unit blocks of size  $2 \times 2$ ; and each pixel value of the transformed block  $\phi_j(D_j)$  is an average value of four pixels in each unit block in  $D_j$ . The second mapping  $\theta_{ij}$  consists of two steps: The first step transforms the block  $\phi_j(D_j)$  by one of the following eight transformations: rotation around the center of the block  $\phi_j(D_j)$ , through  $0^\circ, +90^\circ, +180^\circ$ , and  $+270^\circ$  and each rotation after orthogonal reflection about mid-vertical axis of the block  $\phi_j(D_j)$ . Those eight transformations are called isometries. The second step is the transformation  $P_{ij}$  of pixel values of a block obtained by the first step. This transformation  $P_{ij}$  is defined as

$$p_{ij}(v) = s_{ij}v + h_{ij} \tag{15}$$

where  $v$  is a pixel value of the block obtained by the first step, and the parameters  $s_{ij}$  and  $h_{ij}$  are computed by the least square analysis of pixel values of the range block  $R_i$  and the block obtained by the first step. We call the parameters  $s_{ij}$  and  $h_{ij}$  a scaling coefficient and an offset, respectively. The LIFS parameters listed below are encoded:

- Parameters to indicate a location of the best matched domain block;
- A parameter to indicate an isometric on the best matched domain block;
- A scaling coefficient and an offset.

The proposed method quantizes these LIFS parameters [23].

Fig.3 shows the similar region in classical image with lena. Small regions are called range blocks and large regions are called domain blocks.

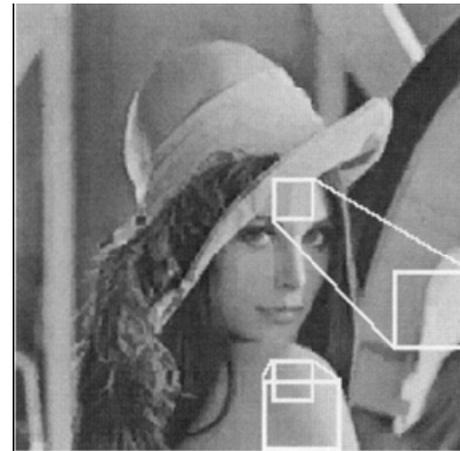


Fig.3 similar regions with image lena

## 5 Retrieval Method Using Fractal Code on the Compression Domain

### 5.1 Improved Relative Parameters of IFS Code

IFS fractal code of image compression can be indicated as given above. We can see that parameters  $(x_i, y_i)$  indicates the absolute position of the match domain and has nothing to do with the current range position. Fig.4 and Fig.5 show while the range block position has moved a little, the match domain block position has correspondingly moved and we get different IFS fractal code.

To solve this problem, parameter  $(x_i, y_i)$  is replaced with  $(d_i, \theta_i)$  which indicate the relative position and direction coefficient between the range block and the domain block. Fig.4 and Fig.5 show the relation of the absolute parameters  $(x_i, y_i)$  and the relative parameters  $(d_i, \theta_i)$ .

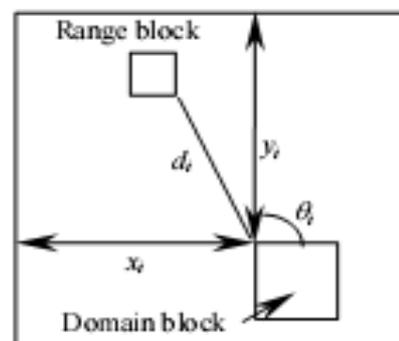


Fig.4 the absolute parameters  $(x_i, y_i)$

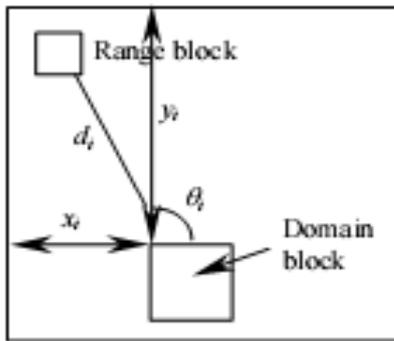


Fig.5 the relative parameters  $(d_i, \theta_i)$

When the value of  $d_i$  is small, the match domain block is around the current range block nearby. Otherwise, the match domain block position is far away from the current range block. When most of the parameter  $\theta_i$  has the approximate value, image texture feature has the same direction.

Hence, IFS fractal code of Image  $I$  can be stored as vector  $IFS(I)$  with form (16)

$$IFS(I) = \{d_i, \theta_i, l_i, s_i, g_i\}, i = 1, 2, \dots, N \quad (16)$$

here, parameters are proceeded with normalized way. Parameter  $(d_i, \theta_i)$  indicates relative position and direction coefficient between the range block  $i$  and the domain block  $i$ . Parameter  $(s_i, g_i)$  indicates a scaling coefficient and an offset between the range block  $i$  and the domain block  $i$  respectively. Parameter  $(l_i)$  indicates an isometric on the best matched domain block  $i$ .  $N$  is the number of the image range blocks.

### 5.2 Image Representative Feature Vector of IFS Code

As mentioned above, IFS fractal code describes the relations of similar regions in an image. Here, we can characterize an image by focusing on the mapping vectors from the range to the domain. We extract a new feature out of IFS code as follows. Image  $I$  representative features vector is defined with form (17) from the IFS fractal code.

$$F(I) = \{\bar{d}, \bar{\theta}, \bar{l}, \bar{s}, \bar{g}\} \quad (17)$$

here,  $\{\bar{d}, \bar{\theta}, \bar{l}, \bar{s}, \bar{g}\}$  is mean of  $\{d, \theta, l, s, g\}$  respectively and  $\{d, \theta, l, s, g\}$  is the fractal IFS codes of all the corresponding range blocks.

### 5.3 Similarity Between Representative Feature Vectors

The similarity as for distance between two images is calculated by the following process. Here, we

denote two images as  $A$  and  $B$ , and denote representative vector sets of them as  $F(A)$  and  $F(B)$ .

$$distance(A, B) = \|F(A) - F(B)\| \quad (18)$$

$$= \sqrt{(\bar{d}_A - \bar{d}_B)^2 + (\bar{\theta}_A - \bar{\theta}_B)^2 + (\bar{l}_A - \bar{l}_B)^2 + (\bar{s}_A - \bar{s}_B)^2 + (\bar{g}_A - \bar{g}_B)^2}$$

### 5.4 Our Proposed Algorithm

Combined with Image features vector and IFS fractal code on compression domain, our proposed image retrieval algorithm is as follow.

Step1. The inquired image is encoded by Jacquin fractal coding with  $4 \times 4$  fixed child block, and then IFS code of the inquired image's is obtained. Moreover, we use equation (17) to calculate the inquired image features vectors.

Step2. Each image of the database is encoded by Jacquin fractal coding with  $4 \times 4$  fixed child block, and each image fractal features vector is obtained with fractal code and equation (17) which cost so much compression and calculation time.

Step3. Consumed the inquired image is  $p$  and current image in the database is  $q$ , their image distance  $D(p, q)$  is computed with as equation (18)

$$D(p, q) = \sqrt{(\bar{d}_p - \bar{d}_q)^2 + (\bar{\theta}_p - \bar{\theta}_q)^2 + (\bar{l}_p - \bar{l}_q)^2 + (\bar{s}_p - \bar{s}_q)^2 + (\bar{g}_p - \bar{g}_q)^2}$$

Hence the similarity between image  $p$  and image  $q$  is directly calculable from representative vectors.

Step4. These computed distances are descending sorted and the smallest or the smaller distance of the first  $N$  number images are as the inquired image's same or the similar images. Thus, our retrieval process is done. The structure of the system is shown in Fig.6.

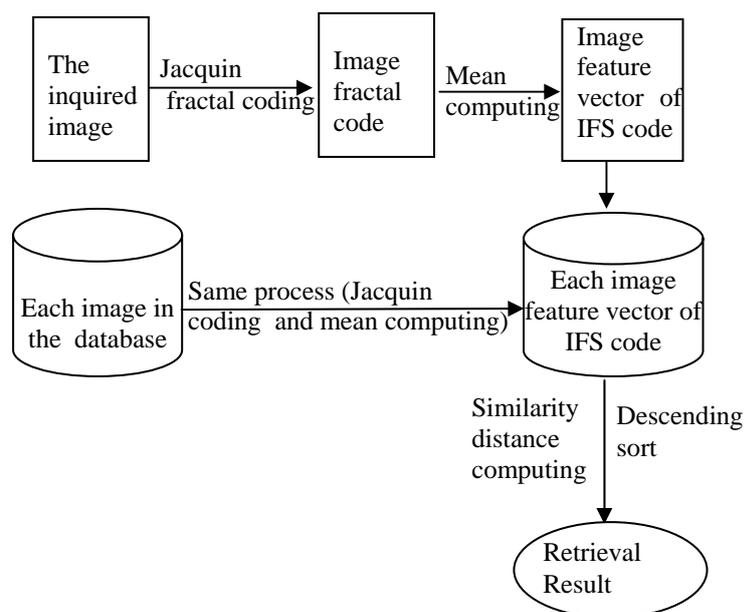


Fig.6 the structure of the system

### 6 Experimental Results and Discussion

All the experiments are carried out on a computer with Intel 2.5Ghz and 1GB RAM in the Win2000 professional operating system and Matlab7.0 language is used.

The inquired image is classical 256\*256 grey-level image coded with 8 bits per pixel. This image database has 100 images, classified into four categories including landscapes, building, animals and texture to verify our retrieval scheme credible and wide application. Each image in database is first tailored to the size for 256\*256 for evaluating our retrieval approach. They were preprocessed and were described by fractal representative vectors, which cost much compression and computing time.

Fig.7 shows that the inquired image is a landscape map. Fig.8 shows that our retrieval output with the first nine images and corresponding calculation distance.



Fig.7 the inquired image

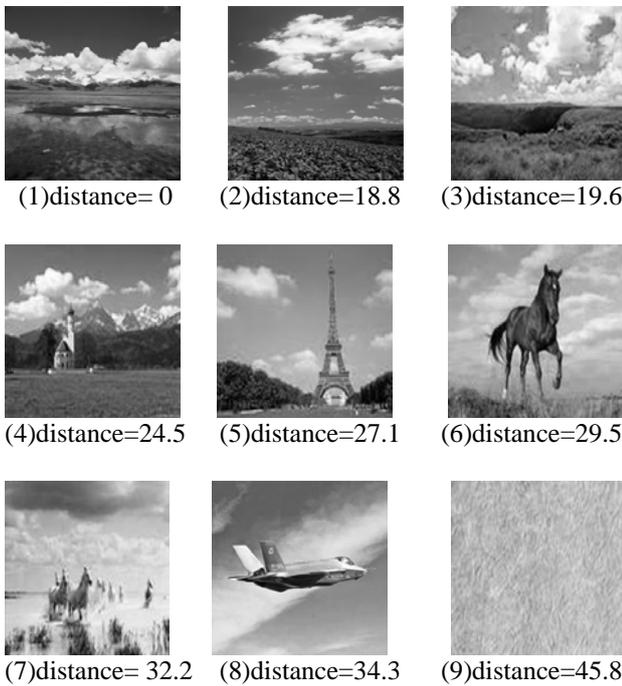


Fig.8 our scheme retrieval result

We can see from Fig.8 that the smaller distance between the retrieval image and the inquired image, the more similar two images are. Among nine retrieval images, there are first four images of the

same landscape kinds and their average distance value is 15.725. The average distance value of the rest five images of different kinds is 33.78. The distance of the same kind images is much smaller than the distance of the different kind images. With our retrieval method, we can retrieval out the same kind or the same contend-based image from the inquired image, thus our retrieval method is stabilized.

Estimation way of retrieval result is shown in Ref[24] as follows. Assume the total number of the image database is  $P$ , according to each image  $i$  in database, we list out  $N_i(1 \leq i \leq P)$  images similar with the inquired image artificially. According to each input inquired image  $q$ , we retrieval out  $N_q + t$  images which are similar to the image  $q$ , here  $t$  is setup retrieval allowance in advance. If there are  $n_q$  similar retrieval images, so retrieval efficiency  $N_r$  is defined as

$$N_r = \frac{\sum_{q=0}^p n_q}{\sum_{q=0}^p N_q} \tag{19}$$

The value of  $N_r$  is directly represented image retrieval efficiency. Table.1 gives the experimental data our retrieval scheme comparison with the direct pixel similar matching strategy (directly standard deviation of the two original images is computed as their image Euclidean distance).

Table 1. Retrieval performance comparison with two methods

Method \ performance	the direct pixel similar matching strategy	our retrieval strategy
Retrieval time	120 S	78 S
Retrieval efficiency	79%	72%

Experimental results show that our retrieval scheme mainly guarantees the retrieval accuracy and can significantly reduce the computing retrieval time. Each image computing time is 2 seconds with the direct pixel similar matching strategy while in our scheme each image computing time is 1.1 seconds on average, which improves retrieval speed evidently.

Moreover, we try to valid different image fractal coding to compression, such as Fisher fractal coding, and we get different two IFS fractal code. From the approximate retrieval results, our scheme has little influence on different fractal coding.

However, our scheme is based on the compression domain of IFS fractal code which cost much time to compression each image in the database. Retrieval time in Table1 does not include the database images compression time, so fast image fractal coding should be researched further more.

## 7 Conclusion

In this paper, we proposed a novel image retrieval method using IFS fractal code on compression domain. Based on the image fractal feature vector, the distance of query image and the image in the database is calculated using the distribution character of fractal code. Compared with the direct pixel similar matching strategy, our retrieval scheme on compression domain mainly guarantees the retrieval accuracy and reduces the computing retrieval time significantly.

However, Our scheme on the image compression domain cost much time to compression each image in the database. Many issues remain to be addressed, and we plan to continue this research in the following directions:

- (1) Shorten fractal compression time greatly with many improved method, such as combined with genetic algorithms, neighbourhood domain block nearby searching, classified domain block searching and so on.
- (2) Compare variants of the fractal image compression and select an approach that offers the best similarity matching of identical images.
- (3) Build a comprehensive indexing system for image database based on the features offered in the image fractal codes.

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