

Variable Lateral Silicon Controlled Rectifier as an ESD Protection

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Abstract: - The Variable lateral Silicon Controlled Rectifier (VLSCR) is a SCR based structure with the possibility to tune I-V *snapback* characteristics. This effect is important for an ESD (electrostatic discharge) protection design. The ESD protection structures act as a protection of integrated circuits against parasitic electrostatic discharge. Among often used structures belong structures having *snapback* type of I-V characteristic. Typical is a gate-grounded NMOS transistor [3] or a SCR [3]. This text is dealing with the VLSCR structure which enables I-V *snapback* characteristics tuning according to the application demand. Simulated technology was 0.5 μ m CMOS very high voltage (VHV Integrated Circuits). Measurement was done in 1.5 μ m BiCMOS process.

Key-Words: - ESD, SCR, LVTSCR, VLSCR

1 Introduction

Fig.1 illustrates a principal connection of some ESD protection cells and required I-V behaviour. A random ESD stress goes through the ESD clamps to ground and a core circuit is not endangered. The protections must be active only during the ESD event.

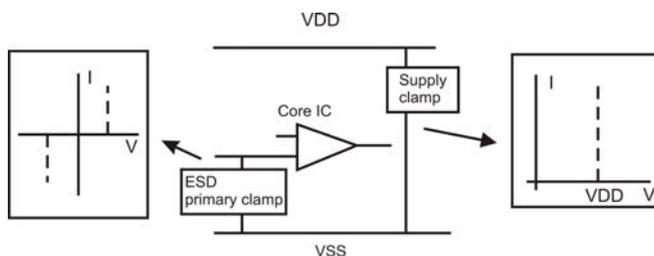


Fig.1 Connection of ESD protection clamps

The typical *snapback* I-V characteristic is shown in Fig.2. The required *snapback* protection device should fulfil subsequent conditions: the value of a leakage current is low, the ESD current in the area of the snapback is high, robustness of the ESD cell is sufficient. An important feature of the ESD structure is trigger voltage adjustability and holding voltage adjustability. For the ESD protections design the holding voltage adjustability and the trigger voltage adjustability is the key to form required I-V characteristic. The voltage triggered

ESD clamps are based mainly on diodes and they are often used as power clamps [3]. The power clamps need to have a voltage reference upon V_{DD} level otherwise a power supply could short out.

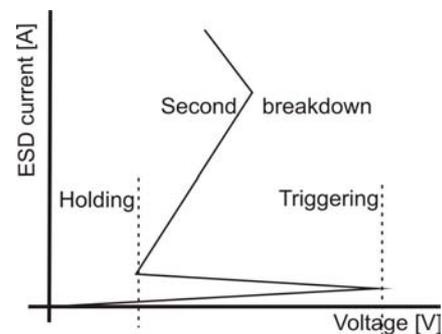


Fig.2 Snap-back I-V characteristic of common ESD device.

Nevertheless, the diode string for the supply clamps has several disadvantages like high resistances and slow performance. The ideal ESD protection structure is a Silicon Controlled Rectifier (SCR) for the sake of its quick performance, but the problem is in the high trigger condition (approximately 40-50V) and low holding voltage ($\sim 1V$)[2]. This limits the application of SCR as a power supply protection. However, there is a way to design the SCR having better triggering and higher holding voltage. The first approach was introduced as a Modified Lateral SCR [2]. The trigger voltage is determined by *N-well* to a *P-substrate* breakdown. In MLSCR is inserted the *N+* diffusion in *N-well* to

decrease the trigger voltage. But the holding voltage in the MLSCR is still too low. The first power-supply-adjustable-SCR-based structure was introduced by Chatterjee [1]. The structure was termed as “Low Voltage Triggering SCR (LVTSCR)”.

2 Conventional LVTSCR (low voltage-trigger Silicon Controlled Rectifier)

The LVTSCR structure uses a MOS transistor in parallel with a SCR. Therefore, the triggering condition is set on the MOS breakdown level (in the submicron CMOS process approximately 10-15V) and the holding voltage level is given by X and L dimension.

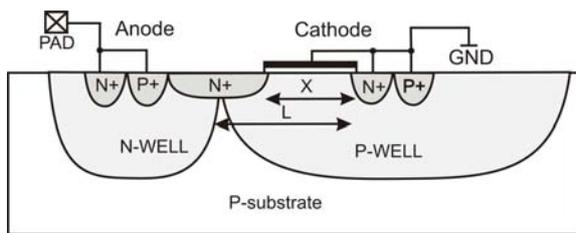


Fig. 3: Cross section of the LVTSCR structure.

The Fig.3 shows the LVTSCR structure of a conventional primary ESD protection. Fig.4 illustrates a circuit scheme of the structure.

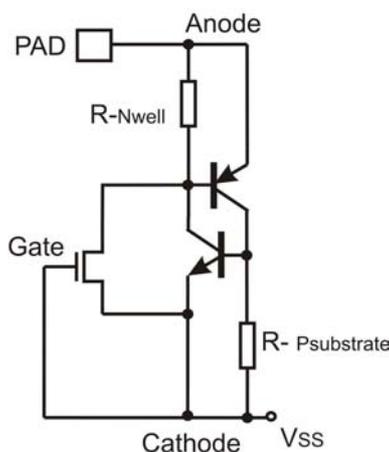


Fig. 4: Circuit scheme and connection of the LVTSCR structure.

The dimension L (Fig.3) represents a length of NPN base region in the SCR structure. By changing L , the current gain of the parasitic bipolar transistors is changed. This yields different $I-V$ characteristics. The dimension $L-X$ represents a size of $N+$ diffusion. This diffusion changes the concentration in N -well region. Usually the higher is $X+L$, the higher is holding voltage. Formula (1) determines a latch-up condition [2].

$$\beta_{npn} \cdot \beta_{pnp} \geq 1 \quad (1)$$

β_{npn} and β_{pnp} are the current gains of the NPN and PNP transistors. However, the collector of one is the base of the other. Therefore, it is not possible to use the discrete β when computing Equation (1). The illustration in Fig.5 introduces a typical behaviour of LVTSCR as the function of sizes L and X . It is evident that the higher is size L , the higher are holding voltage and “ON” resistance. The trigger voltage is almost constant. The $0.5\mu\text{m}$ CMOS technology provides a trigger condition at 14.9V.

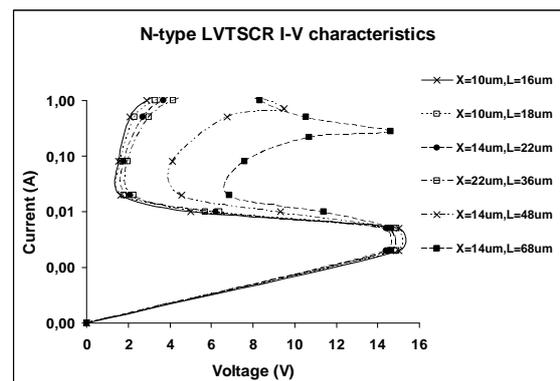
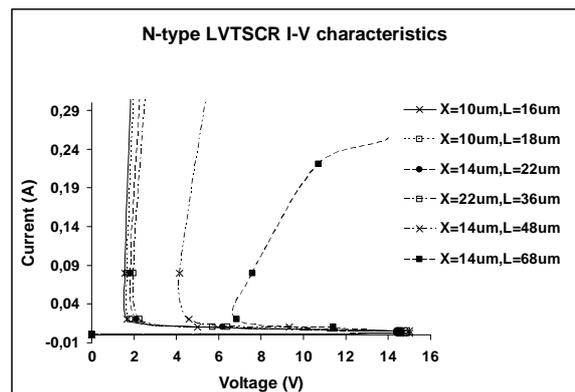


Fig.5: I-V results for $0.5\mu\text{m}$ CMOS process (TCAD device simulation). Linear scale is shown above, logarithmic scale is shown below [4].

The LVTSCR was simulated in a TCAD device simulator to verify declared performance [2, 4]. The

LVTSCR structure is not adjustable for higher holding voltages (for example to protect 10V, 15V, 30V as a supply clamp). The reason is the grounded MOS gate which sets the trigger and the holding voltage level close to the MOS breakdown.

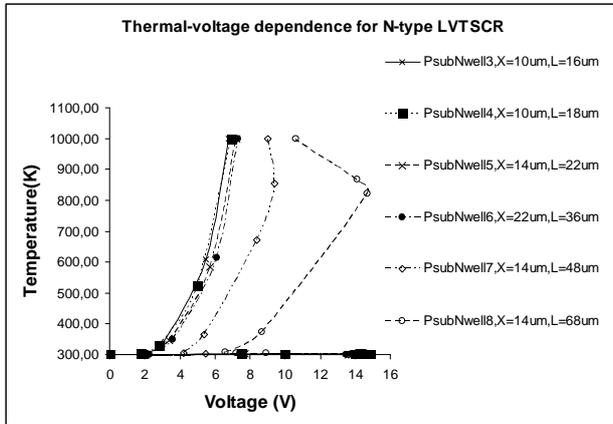


Fig. 6: Simulated thermal-voltage dependence of the LVTSCR structure.

But according to the Fig.6 is possible to say that the LVTSCR structure has big robustness against second destructive breakdown. The Fig.6 shows simulation results of the thermal-voltage dependence. We can see that the thermal breakdown starts at 850 K. This can be also seen in Fig.7 and in Fig.8. The figures show the simulation results from the HBM test and there is a comparison of the LVTSCR structure with conventional lateral SCR.

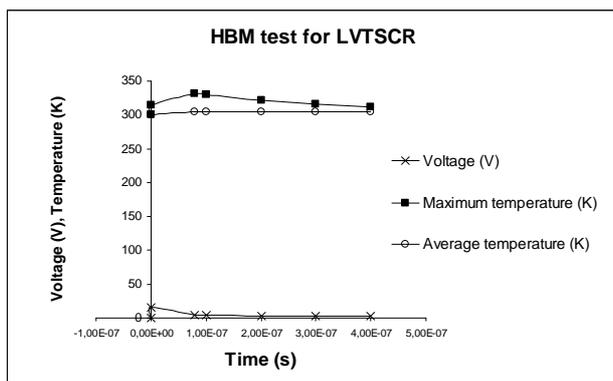


Fig. 7: The simulated HBM test at the LVTSCR structure.

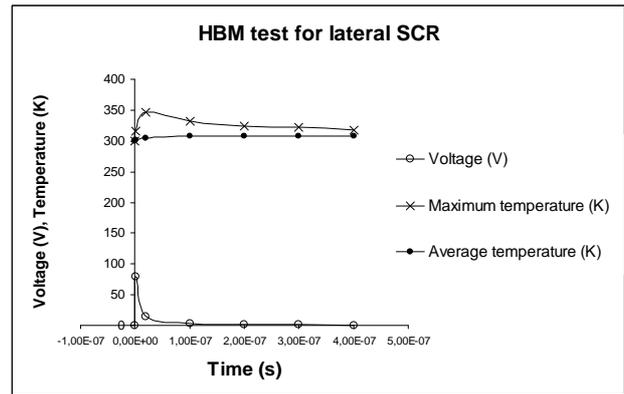


Fig. 8: The simulated HBM test at the conventional lateral SCR structure.

It is evident that the LVTSCR structure is more effective than LSCR especially when using in advanced CMOS processes. However, due to its higher voltage limitation and trigger voltage adjustability limitation the new structure called Variable lateral Silicon Controlled Rectifier was developed to improve these features.

3 Variable lateral Silicon Controlled Rectifier

The Variable lateral Silicon Controlled Rectifier is a structure that enables tuning of its performance according to the requirements. First of all focusing on the semiconductor physics is needed. The conductivity of a semiconductor σ is given by:

$$\sigma = nq\mu_n + pq\mu_p \tag{2}$$

where μ_n and μ_p are the electron and hole mobilities and n and p are the electron and hole concentrations, respectively. $q = 1,602 \times 10^{-19}$, C is the electronic charge, n and p are given by the equations:

$$n = n_i \exp\left[\frac{q(\psi - \phi)}{kT}\right] \tag{3}$$

$$p = n_i \exp\left[\frac{q(\phi - \psi)}{kT}\right] \tag{4}$$

ψ and Φ are the potentials corresponding to the Fermi energy, E_F and the Fermi energy for the intrinsic semiconductor, E_i , respectively.

Hence, $\Phi = -E_F/q$ and $\psi = -E_i/qn_i$ is the *intrinsic carrier concentration* given by:

$$n_i = \sqrt{N_C N_V} \exp\left(\frac{-E_g}{2kT}\right) \quad (5)$$

where N_C and N_V are the effective density of states in the conduction and valence bands, respectively. For silicon, we get:

$$n_i = 1,69 \times 10^{19} \left(\frac{T}{300}\right)^{3/2} \exp\left(\frac{-E_g}{2kT}\right) \quad (6)$$

In N -type resistors at low injection current levels, the current density is given by:

$$J = J_n = N_B q \mu_n E = N_B q v_d \quad (7)$$

As the hole current is negligible, N_B is the background doping concentration and E is the electric field, $v_d = \mu E$ is the drift velocity of carriers. As the voltage is increased E increases and so does J and the resistor is ohmic, that is, it shows a linear dependence between current and voltage. As the voltage is raised further the field increases and so does J in accordance with Equation (7) until at $E = 10^4 \text{ Vcm}^{-1}$ the electron drift velocity saturates at $v_s = 10^7 \text{ cm s}^{-1}$. Further increasing the voltage serves only to increase the electric field with no increase in J and

$$J = J_{sat} = N_B q v_s \quad (8)$$

J_{sat} is a function of the doping concentration and will not be observed for either low $N_B (< 10^{14}/\text{cm}^3)$ or very high doping levels when $N_B \sim 10^{20}/\text{cm}^3$. N -well resistors with $N_B \sim 10^{17}/\text{cm}^3$ will have $J_{sat} \sim 10^5 \text{ Acm}^{-2}$, which translates to a current of about 10 mA in a 20 μm wide resistor.

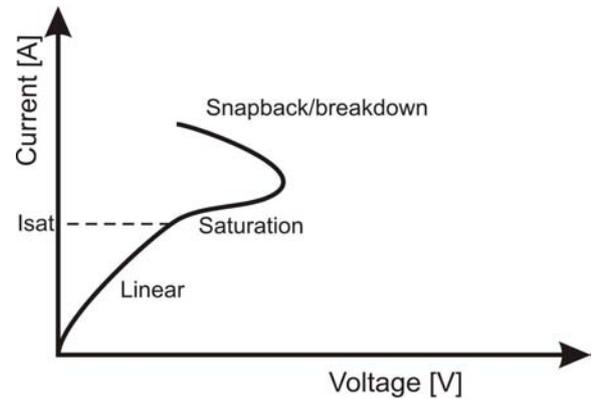


Fig. 9: The high current I - V curve for an n -type diffused resistor showing the ohmic and saturated regions [2].

The high current I - V curve for a 20 μm wide N -well resistor is shown in Fig.9. As the voltage is increased even further in the saturation region, the E -field eventually reaches the impact ionization threshold and holes are generated. When the generated hole current becomes large enough to contribute to the total current the voltage decreases and a negative resistance or *snapback* characteristic is observed as shown in Fig.9. A rough calculation of the maximum voltage across the resistor may be done by assuming that impact ionization begins at $\sim 150 \text{ kV cm}^{-1}$. Then the maximum voltage for a length of 2 μm is 30 V. The amount of impact ionization required to cause *snapback* depends on N_B , which would influence the maximum voltage across the resistor before *snapback* occurs.

Snapback in the resistor could also occur due to the heating in the saturation region. For more highly doped resistors, self-heating is more likely to result in *snapback* than *avalanche breakdown*. Analytical studies and simulations have also shown that current constrictions in the resistor may occur in the negative resistance region.

It is obvious that the more concentrated is N or P region the faster *snapback* occurs. The feature is important for designing structures based on SCR.

Consider the reverse-biased PN junction. The current through the junction can be calculated:

$$I_R = \frac{qADN_C N_V}{L_d N_B} \exp\left(\frac{-E_g}{kT}\right) + \frac{qW}{\tau_e} \sqrt{N_C N_V} \exp\left(\frac{-E_g}{2kT}\right) \quad (9)$$

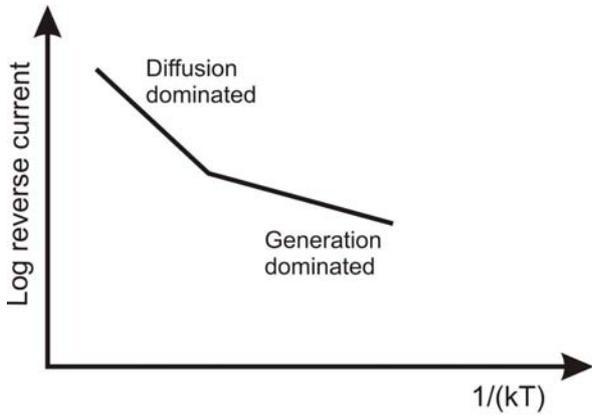


Fig. 10: Current in a reverse-biased junction, I_R , as a function of temperature. The diffusion dominated region where $\ln(I_R)$ is proportional to $1/kT$ is observed at higher temperatures, and the generation-dominated region where $\ln(I_R)$ is proportional to $1/2kT$ is observed at lower temperatures [2].

Fig.10 shows a plot of $\ln(I_R)$ as a function of $1/kT$. At low temperatures I_R will be dominated by thermal generation, and shows a slope of $1/2$. At higher temperatures, the diffusion current dominates and I_R has a slope of 1. As the reverse voltage is increased and the electric field across the junction approaches 10^5 Vcm^{-1} , the carriers in the depletion region can impart enough energy in a collision with the lattice to generate electron-hole pairs, which become free carriers. These new carriers in turn are accelerated, collide with the lattice and create more carriers. The process is known as *avalanche multiplication*. The hole and electron currents, I_{p0} and I_{n0} , flowing into a high field region are multiplied so that the currents exiting the region are:

$$I_p = I_{p0} + \alpha_p I_{p0} + \alpha_n I_{n0} \quad (10)$$

$$I_n = I_{n0} + \alpha_p I_{p0} + \alpha_n I_{n0} \quad (11)$$

$\alpha_{n,p}$ are the electron and hole impact ionization coefficients and are temperature dependent. Empirical equations for the impact ionization coefficients for electrons and holes can be written as follows:

$$\alpha_{n,p} = A_{n,p} [1 + C_{n,p} 10^{-4} (T - 300)] E \exp\left(\frac{-B_{n,p}^2 [1 + D_{n,p} (T - 300)]^2}{E^2}\right) \quad (12)$$

$A_n = 0,426 \text{ /V}$, $A_p = 0,243 \text{ /V}$, $B_n = 4,81 \times 10^5 \text{ Vcm}^{-1}$, $B_p = 6,53 \times 10^5 \text{ Vcm}^{-1}$, $C_n = 3,05 \times 10^{-4}$, $C_p = 5,35 \times 10^{-4}$, $D_n = 6,86 \times 10^{-4}$ and $D_p = 5,87 \times 10^{-5}$ are the coefficients for electron and holes: E is in Vcm^{-1} . The above equations can be simplified to obtain:

$$\alpha_{n,p} = A_i \exp\left(\frac{-B_i}{E}\right) \quad (13)$$

where $B_i = E_g/q\lambda$ and λ is the mean free path of the carrier.

$$\lambda = \lambda_0 \tanh\left(\frac{E_{r0}}{2kT}\right) \quad (14)$$

$\lambda_0 = 50 \text{ \AA}$ and $E_{r0} = 50 \text{ meV}$ are λ and the optical phonon energy, E_r , at $T = 0 \text{ K}$. A reasonable fit to experimental results has been obtained by using:

$$\alpha_{n,p} = A_i \exp\left(\frac{-B_i(T)}{E}\right) \quad (15)$$

Where the coefficient A_i remains constant as a function of temperature and the major variation with temperature is assumed to occur in the exponent $B_i(T)$. The multiplication factor for holes and electrons, $M_{n,p}$, is an important parameter in applying impact ionization models to device behavior.

$$M_{n,p} = \frac{I_{n,p}(out)}{I_{n,p}(in)} \quad (16)$$

$I_{n,p}(out)$ and $I_{n,p}(in)$ define the currents at the edges of the depletion region. For $\alpha_n \sim \alpha_p \sim \alpha$, $M_{n,p}$ can be written as

$$M_{n,p} = \frac{1}{1 - \int_0^{\omega} \alpha dx} \quad (17)$$

Avalanche breakdown occurs at the voltage when $M_{n,p}$ approaches infinity, that is:

$$\int_0^{\omega} \alpha = 1 \quad (18)$$

Empirically, the relationship between M and the voltage across the junction V_j has been described in the form:

$$M = \frac{1}{1 - \left(\frac{V_j}{V_{av}}\right)^n} \quad (19)$$

where V_{av} is the *avalanche breakdown* voltage and n is a fitting parameter ranging from 2 to 6 depending on the type of junction being considered. The increase in M with applied voltage is very sharp as V_j approaches V_{av} . Another approach is to substitute for α from Equation (15) in Equation (17), to give:

$$M = \frac{1}{1 - A_i \exp\left(-\frac{B_j}{V_j}\right)} \quad (20)$$

The fitting parameters $A_i \sim Ax_d$ and $B_i \sim Bx_d$ provide better empirical matching over a range of V_j compared to Equation (19), especially when comparing graded and abrupt junctions. As V_j approaches V_{av} , M approaches ∞ , and Equation (20) can be written as:

$$V_{av} = \frac{B_i}{\ln(A_i)} \quad (21)$$

This equation can be used to A_i and B_i if V_{av} is already known. The only limiting factor is the resistance of the neutral regions outside the depletion region. The temperature dependence of α is such that as T increases, the impact ionization decreases and M goes down, which means that the *avalanche breakdown* voltage increases with temperature.

To achieve a better holding and also trigger voltage adjustability a variable lateral SCR (VLSCR) was formed in *N-well*. This structure utilizes $N++$ diffusion between anode and cathode to change the *N-region* concentration for the trigger voltage tuning as was discussed at the beginning in the MLSCR [2]. To change the holding voltage we must manipulate with the P-region and the anode-to-cathode spacing as it is shown in Fig. 11.

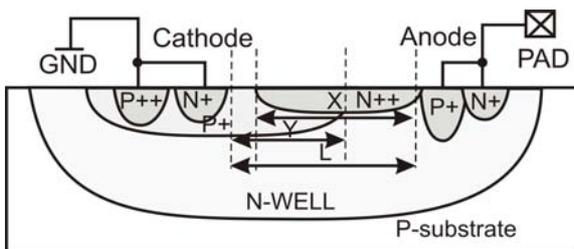


Fig.11: Cross section of VLSCR

The Cross section of VLSCR is described by the dimensions X , Y and L , where L represents the anode-to-cathode spacing and it affects the base length of *PNP* transistor. The size Y is the *P+* region extension and it changes the base length of *NPN* transistor. Finally, X is the size of $N++$ diffusion to change the trigger voltage. The principal circuit scheme of this structure is presented in Fig. 12. The dimensions of the diffusion regions also influence a value of the *P-region* and the *N-region* resistances which are illustrated in the scheme.

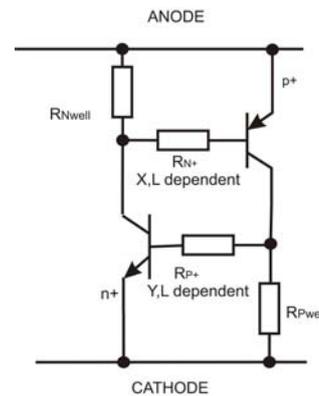


Fig. 12: Circuit scheme of SCR-based structure termed as VLSCR

Manipulating with the sizes X, Y the current gains of the *NPN* and *PNP* transistor are changed in the way that was discussed earlier and it corresponds with the *avalanche* conditions according to the equation (21). The Fig 13 presents the simulated $I-V$ characteristics of the structure.

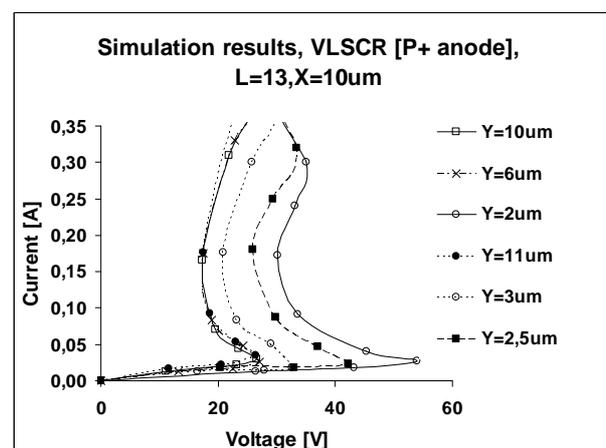


Fig.13: Simulated $I-V$ characteristics in $0.5\mu\text{m}$ CMOS process (TCAD device simulation).

According to the graph, the holding voltage adjustability is 17 V-31 V and the trigger voltage

adjustability is 25 V - 57 V. This behaviour is applicable for the high voltage supply clamps. But the behaviour depends on the $P+$ anode resistance. If we use a different $P+$ anode concentration, we get different $I-V$ characteristics. The same VLSCR structure but with a different $P+$ anode concentration is illustrated in Fig. 14.

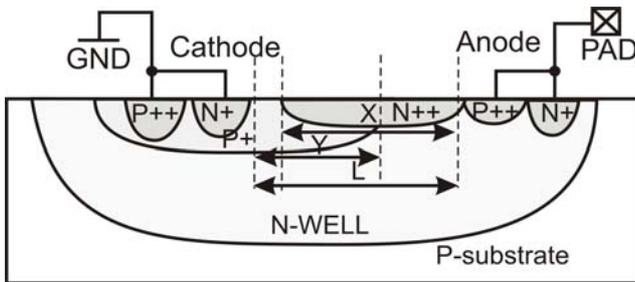


Fig. 14: Cross section of VLSCR with $P++$ anode

This structure setting yields different voltage levels in $I-V$ characteristics as seen in Fig.15. In this case, the used voltage at VLSCR or LVTSCR structures is similar. Therefore, the convenient $P+$ anode concentration has to be chosen.

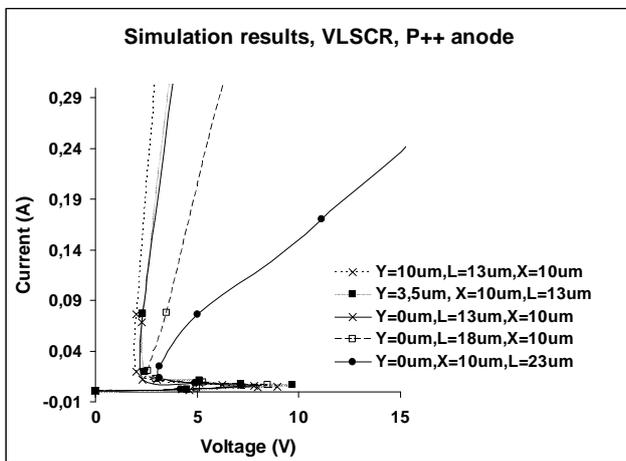


Fig.15: Simulated $I-V$ characteristics in $0.5\mu\text{m}$ CMOS process (TCAD device simulation).

Fig.16 shows measurement results of a VLSCR structure which was manufactured in $1.5\mu\text{m}$ BiCMOS technology. It is shown that the holding voltage adjustability is approximately from 20 V to 42 V. Trigger voltage changes from 40 V to 60 V.

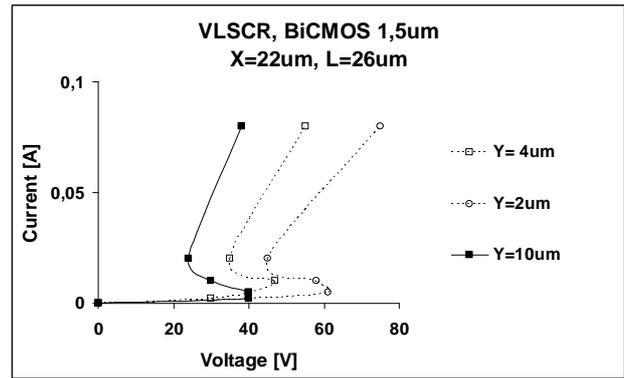


Fig.16: Measurement results of VLSCR manufactured in BiCMOS $1.5\mu\text{m}$ process.

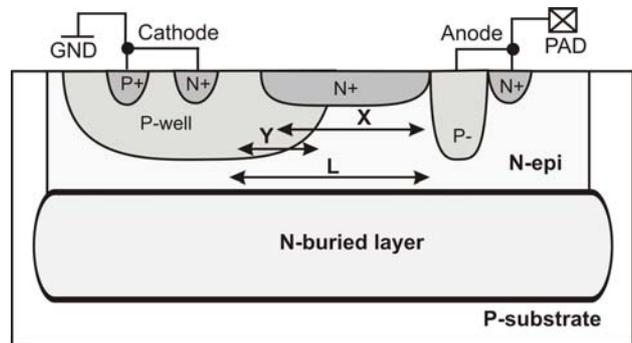


Fig.17: Cross section of VLSCR structure manufactured in BiCMOS

A cross section of a VLSCR structure manufactured in BiCMOS is shown in Fig.17. To improve adjustability of the holding and trigger voltage, it would be convenient not to use constant X and L setting. BiCMOS technology provides a low doped epitaxial layer and therefore the voltage levels of $I-V$ characteristics are relatively high and the "ON" resistance is better. Fig.18 illustrates a voltage variability of the VLSCR in the $0.5\mu\text{m}$ CMOS process from the TCAD device simulator.

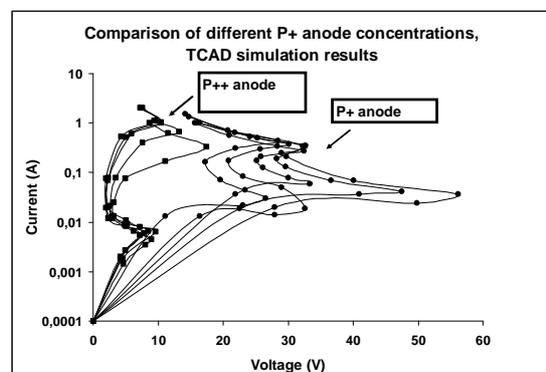


Fig.18: Comparison of different $P+$ anode concentration, TCAD device simulation.

Also the thermal-voltage dependence was simulated and the results are shown in Fig.19. We can see the simulated performance is similar like at the LVTSCR structure. This means the performance is quite effective. The thermal breakdown starts at 850 K depending on the voltage level. The lower is voltage the higher temperatures can VLSCR withstand.

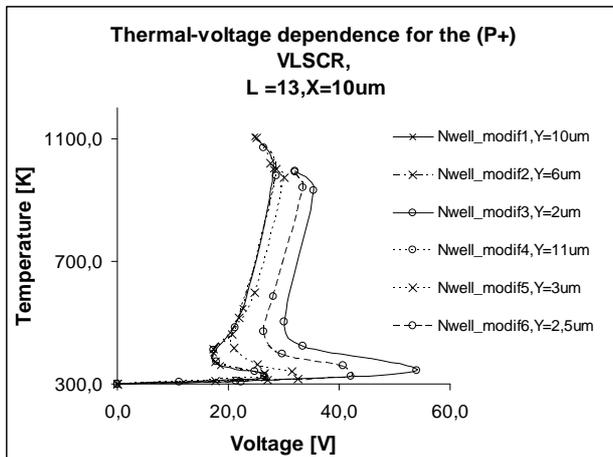


Fig. 19: The simulated thermal-voltage dependence at the low doped VLSCR structure.

The same dependence but for the structure with more concentrated VLSCR anode is shown in Fig.20. Here, we can see again very similar results like at LVTSCR structure, but the VLSCR results have better performance. Heating of this structure is not as progressive as at the LVTSCR structure.

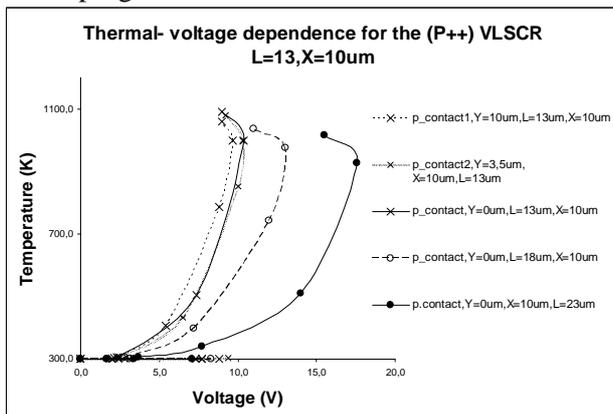


Fig. 20: The simulated thermal-voltage dependence at the high doped VLSCR structure.

Very important are the results from HBM test. (Fig.21, Fig.22, Fig.23) Here, we have comparison of the both VLSCR structures with the conventional lateral SCR. The significant advantage of the VLSCR is that the temperature during HBM test does not reach as high as at the LSCR structure.

Also the falling progress of the maximum temperature at the VLSCR is reasonable. The conventional lateral SCR embodies worse maximum temperature falling progress.

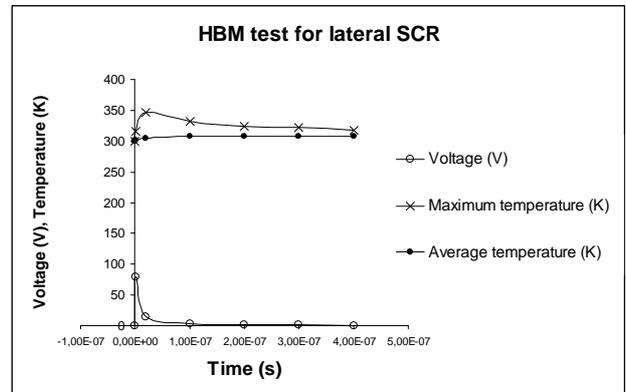


Fig. 21: The simulation results of the HBM test for conventional lateral SCR structure.

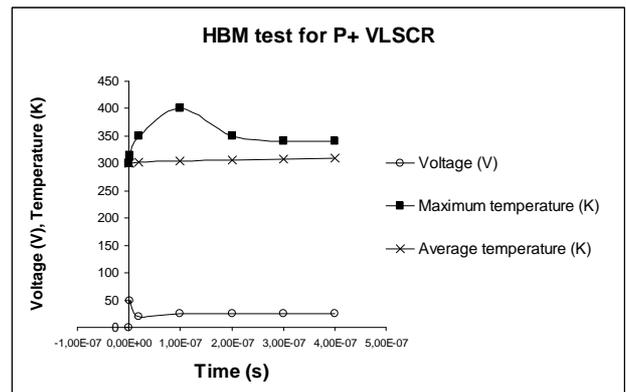


Fig. 22: The simulation results of the HBM test for the low doped VLSCR structure.

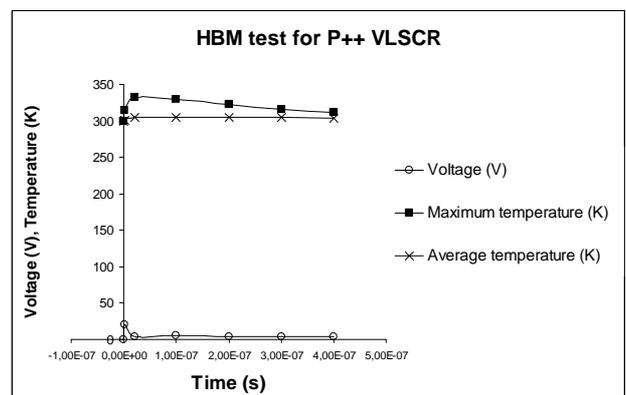


Fig. 23: The simulation results of the HBM test for the high doped VLSCR structure.

4 Conclusion

The Variable lateral Silicon Controlled Rectifier seems to be useful in the high voltage integrated circuits but even in low voltage applications. The significant advantages of this structure are holding voltage adjustability and trigger voltage adjustability. That means the designer can set the layout dimensions exactly according to the required ESD protection performance. The new VLSCR structure can be formed in CMOS process as was simulated or even in BiCMOS processes as was manufactured and measured.

We can see the performances are very similar even we used different technology. Also other verifications were done and are commented above in the text. The thermal-voltage dependence embodies sufficient behaviour. And the results from the simulated HBM tests proclaim good robustness and efficiency of the new VLSCR structure. The VLSCR structure is convenient for low voltage applications in CMOS process but even for higher holding voltages in BiCMOS process. In the ESD protection design the VLSCR can form a supply clamp or a primary ESD protection. The layout example of the VLSCR

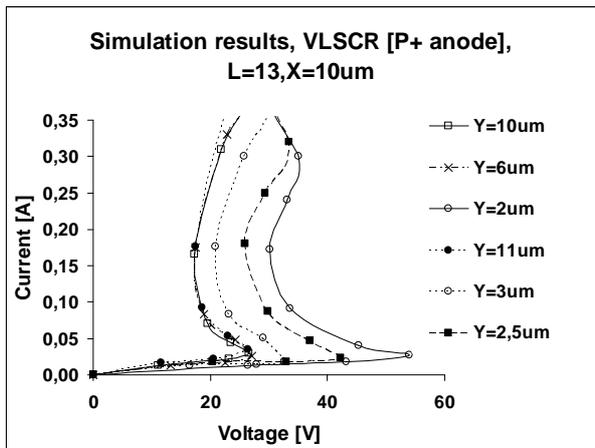


Fig. 24: Simulated I-V characteristics in 0.5µm CMOS process (TCAD device simulation).

The Fig. 24 shows adjustability of the holding and trigger voltages simulated in CMOS process. The Fig. 25 shows the adjustability of the same structure manufactured in BiCMOS.

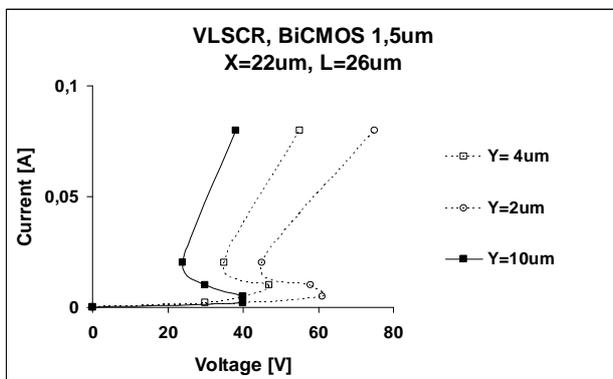


Fig. 25: Measurement results of VLSCR manufactured in BiCMOS 1.5 µm process.

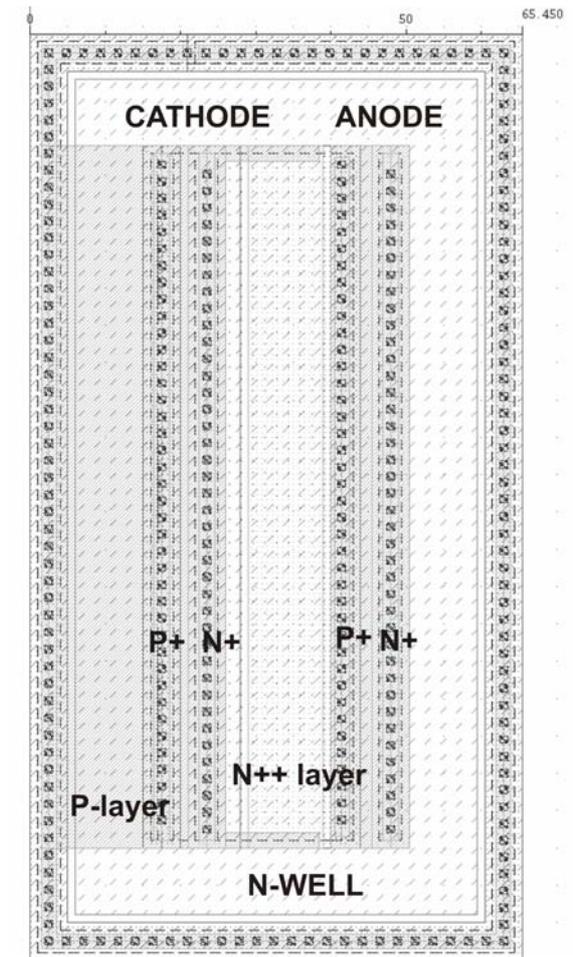


Fig. 26: Layout example of the VLSCR structure in CMOS process.

structure in CMOS process is shown in Fig.26. Positive features and good performance of the VLSCR structure enable to use this kind of ESD protection commercially.

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References:

- [1] A.Chatterjee ,T. Polgreen , „A low-voltage triggering SCR for on-chip protection at output and input pads“ in *Elec.Dev.Lett.*, EDL-12, 21-22, 1991.
- [2] A.Amerasekera ,Ch. Duvvury ,*ESD in Silicon Integrated Circuits*. New York: John Wiley and Sons, 2002
- [3] Steven H. Voldman ,*ESD Circuits and Devices*. New York: John Wiley and Sons, 2006
- [4] P. Betak, V. Musil ,”Snap-back characteristics tuning of SCR-based semiconductor structures”.In *WSEAS Transactions on Electronics 2007(Special Issue: Integrated Circuit Design)*, 4(9) p. 175-180. ISSN 1109-9445.