

A Numerical Evaluation of Damages Caused by Asynchronous Motors to the Environment

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Abstract: - In recent years a slow but progressive increase in the world's temperatures has been consistently recorded. To oppose this global warming trend, two especially important actions are the monitoring and reduction of greenhouse emissions, in large quantity caused by global electric energy production. To this regard an algorithm is proposed to estimate the particles released into the atmosphere as a consequence of the electric energy produced for the operation of asynchronous motors, which in industrialized countries absorb as much as 60 % of the total electric energy generated. The described procedure can also help to evaluate the possibility to supply motors with electric energy produced from renewable sources instead of from thermal power plants supplying traditional public networks, which would of course reduce the environmental impact of motors to almost zero. Emissions linked to electric energy generation were evaluated on the basis of statistics collected from the main electric utilities. The proposed algorithm was validated by means of laboratory tests performed on a single asynchronous motor working under different operating conditions.

Key-words: - Electric motor operation and consumption, Emissions and pollution, Environmental sustainability.

1 Introduction

In the specialized literature a number of works have dealt with motor energy consumption and efficiency, addressing the geographical distribution and consumption of different kinds of motors as well [1]. In order to improve motor efficiency, many different solutions were proposed, with the basic aim to reduce electric energy absorption while meeting construction constraints and assuring the required performance threshold [2], [12]. Even more so than in the past, attention was recently addressed to digital control strategies and the use of power electronics devices. In this context, particularly successful procedures were adopted, such as the Vector Control (VC) and Scalar Control (HVAC) [3].

On the other hand, also different algorithms were implemented with an aim to increase motor efficiency, following two main research approaches. The former was directed to improve the motor construction features [4], whereas the latter was based on the implementation of control procedures to improve the motor operating performances [5]. In addition, a number of studies were published addressing the errors made in estimating motor efficiency; in this context, the approaches proposed were mainly the Maximum Estimated Error (MEE), the Worst Case Estimated

Error (WC EE), and the Realistic Estimated Error (REE) [6].

2 The problem formulation

The issue here was to estimate the amount of emissions into the environment associated to the electric energy drawn by an asynchronous motor. The first step of the proposed procedure is the estimation of the P_m mechanical power on the motor shaft:

$$P_m = C_m \cdot \omega_m \text{ [W]} \quad (1)$$

where ω_m is the rotor speed and C_m the electromagnetic torque. C_m can be determined from the dynamic equilibrium equation:

$$C_m - C_r - C_a = J_T \frac{d\omega_m}{dt} \text{ [N} \cdot \text{m]} \quad (2)$$

$$C_m = C_r + C_a + J_T \frac{d\omega_m}{dt} \text{ [N} \cdot \text{m]} \quad (3)$$

The quantities C_r , C_a and J_T are the load torque, the friction torque and the moment of inertia, respectively; all of them are known quantities. ω_m is an unknown and can be estimated with the algorithm illustrated in Section 4. From the knowledge of ω_m , Eq. (3) allows the evaluation of:

$$\hat{C}_m = C_r + C_a + J_T \frac{d\hat{\omega}_m}{dt} \text{ [N} \cdot \text{m]} \quad (4)$$

The value of \hat{C}_m introduced in Eq. (1) allows the computation of \hat{P}_m :

$$\hat{P}_m = \hat{C}_m \cdot \hat{\omega}_m \text{ [W]} \quad (5)$$

Finally, the electric power drawn by the motor can be estimated from the knowledge of the η motor efficiency:

$$\hat{P}_e = \frac{\hat{P}_m}{\eta} \text{ [W]} \quad (6)$$

η can be read from the motor label or evaluated with laboratory tests. It can also be estimated for an equivalent asynchronous load [10], [11].

The E_e energy supplied by the electrical system can be computed by the following integral:

$$E_e = \int_0^t P_e dt \text{ [W} \cdot \text{s]} \quad (7)$$

If the t time is assumed (as a reference) as $1 h$, the value obtained from Eq. (7) can be easily expressed in kWh. On the other hand, electricity companies are obliged to write an annual report of their emissions on the basis of $1 kWh$ of produced energy.

The knowledge of the energy required by a single machine for a given industrial working cycle may help to decide how to supply the motor, that is choosing either the external public network or renewable sources available on the premises. Both solutions are shown in Fig. 1.

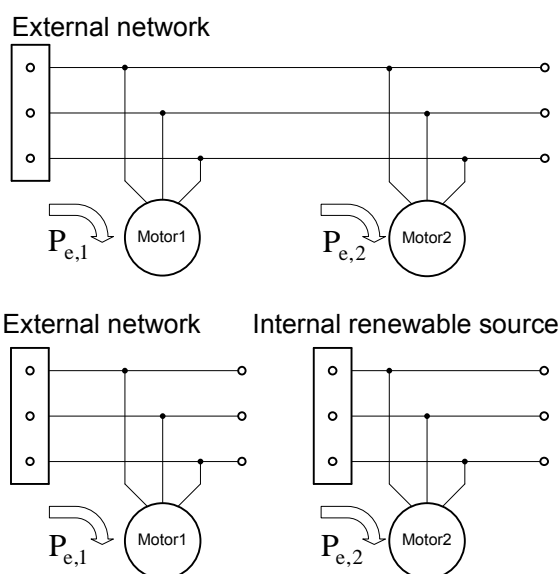


Fig.1 Example of different arrangements that can be used to supply motors.

Recently, increasing energy production from renewable sources [8], [9], [18] is coming from photovoltaic plants. These generation systems can be subdivided into two main categories:

1. Systems connected to a distribution network (grid-connected systems);
2. Systems completely isolated from the grid (stand-alone systems).

The former system type is shown in Fig. 2.

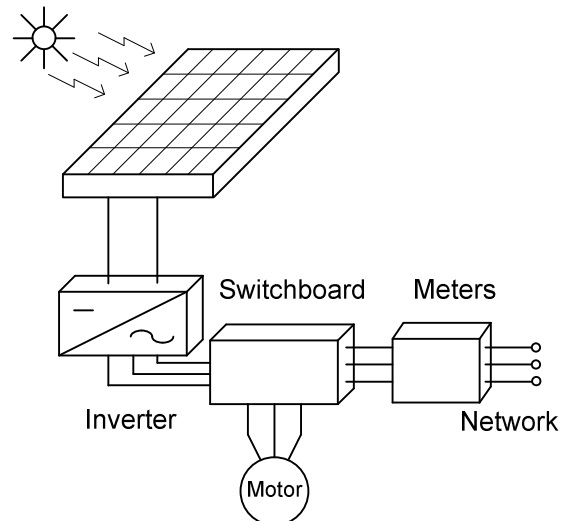


Fig.2 Photovoltaic grid-connected system.

In this case, the electric energy is first converted to the rated frequency and then used to supply the consumer load and/or directly put onto the grid in accordance to a predefined interchange regime [16], [17].

The latter system type is shown in Fig. 3.

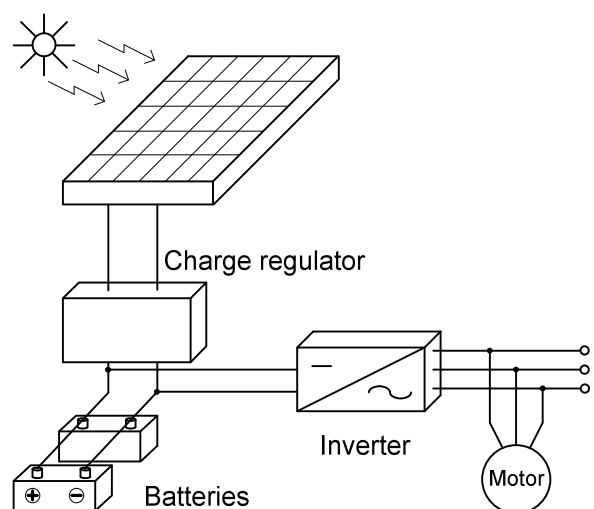


Fig.3 Photovoltaic stand-alone system.

In this case, the generated energy supplies directly a load while the surplus energy is generally transferred and stored into appropriate batteries

that in their turn will supply the load in absence of solar radiation.

Generally speaking, the main components of a photovoltaic system are: a photovoltaic generator (or photovoltaic field for high-power plants), a power controller and conditioner system and an energy storage system (for stand-alone systems).

The conversion efficiency of the system takes into account the efficiencies of each component such as: the single photovoltaic cell (solar mono-crystal silicon cells having high purity level are able to transform over 23% of solar energy), solar module, power control and conversion system, and eventually the storage system in the stand-alone plants.

In normal conditions, the energy generated by a photovoltaic generator flows to the load and battery simultaneously. When a battery is in discharged condition and the energy required by the load overcomes the generated energy, the photovoltaic generator is connected to a further complementary source that supplies the energy deficit as shown in Fig. 4.

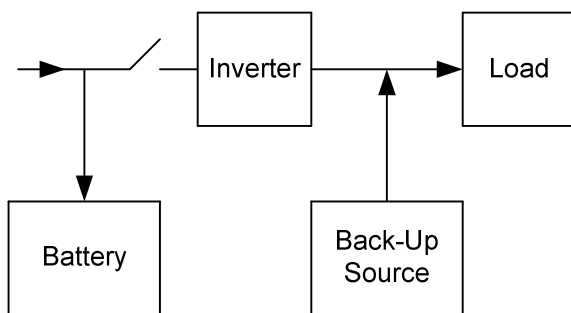


Fig.4 System with a complementary source.

A photovoltaic stand-alone system does not have complementary sources to fill the energy deficit. In this case information is required about the nature and amount of energy needs to be satisfied on a daily basis, in different seasons or in one whole year. In such conditions, the proposed algorithm may be very helpful in identifying the best possible solutions.

3 Emissions compared to electric energy production

The emissions reported in the following are those released by a traditional thermal power plant. In this case, the emitted pollution can be primarily classified as solid, liquid and gas. Another frequently used classification subdivides the generated pollution as follows:

- emissions into the atmosphere;
- avoided CO₂ emissions;
- outlet water;
- hazardous waste.

Emissions into the atmosphere include pollutant particles and greenhouse gases. The former category comprises:

- Sulphur dioxide (SO₂);
- Nitrogen oxides (NO_x);
- Powders.

The latter category comprises:

- Carbon dioxide (CO₂);
- Sulphur hexafluoride (SF₆);
- Methane (CH₄).

SO₂ and NO_x come from a combustion process and are consequently produced by thermal power plants. In recent years SO₂ and NO_x emissions have been drastically reduced by means of advanced combustion processes and the use of desulphurators, deoxidizers and molecular sieves.

As concerns the Italian situation, Fig. 5 shows SO₂ and NO_x emissions due to electric energy production from thermal power plants.

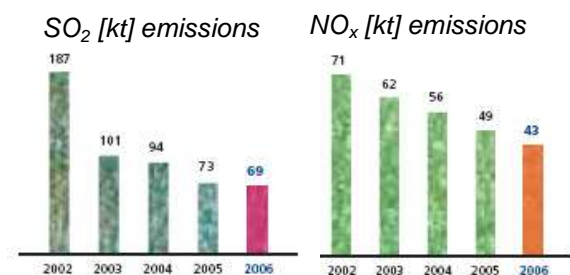


Fig.5 SO₂ and NO_x emissions due to electric energy generation.

Of course, also CO₂ emissions depend on combustion. Fig. 6 shows CO₂ emissions from thermal power plants.

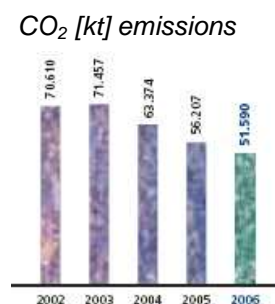


Fig.6 CO₂ emissions.

As shown in Fig. 6, in the last few years also CO₂ emissions (as SO₂ and NO_x emissions) have been reduced in Italy. Avoided CO₂ emissions can be viewed as a useful indicator in quantifying the penetration level of renewable energy sources. Emissions are often expressed more significantly in [g/kWh] as shown by the diagrams in Figs. 7 and 8.

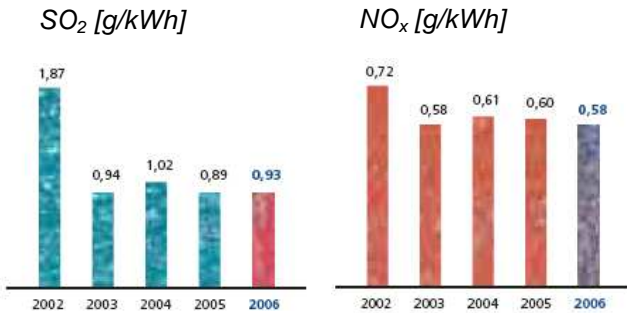


Fig.7 SO₂ and NO_x specific emissions.

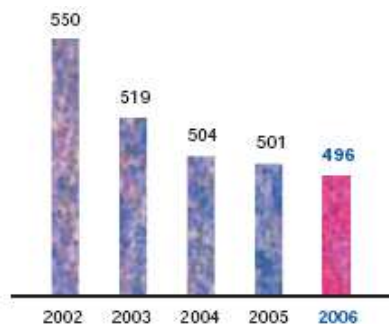


Fig.8 CO₂ specific emissions [g/kWh].

4 The algorithm for motor speed estimation

The procedure proposed to estimate the $\hat{\omega}_m$ motor rotor speed is shown in Fig. 9. The estimate is based on the knowledge of the $\Delta\theta$ rotor position variation.

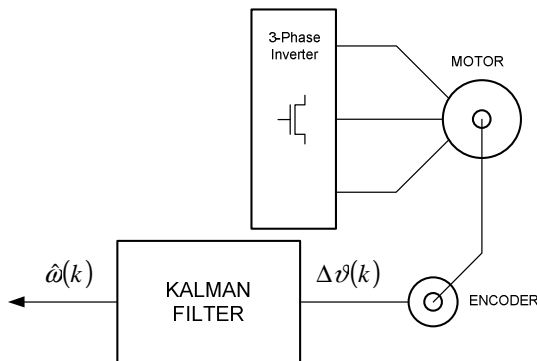


Fig.9 Rotor speed estimator.

The rotor $\vartheta_r(t)$ position, $\omega_r(t)$ speed and $a_r(t)$ acceleration are linked by the following relations:

$$\begin{cases} \frac{d}{dt}\vartheta_r(t) = \omega_r(t) \\ \frac{d}{dt}\omega_r(t) = a_r(t) \\ \frac{d}{dt}a_r(t) = 0 \end{cases} \quad (8)$$

where $\frac{d}{dt}a_r(t)$ is an additional estimate equation defining acceleration as a state quantity. In order to implement the model on a DSC (Digital Signal Controller), a discretization of the (8) differential system must be made. Fig. 10 shows a discretization of an $a_r(t) = \tilde{a}$ constant acceleration inside the $\Delta t = t - t_0$ sampling step.

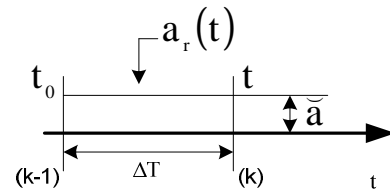


Fig.10 Discretization of a constant rotor acceleration.

The result of the discretization procedure is as follows:

$$\vartheta_r(k) = \vartheta_r(k-1) + \omega_r(k-1)\Delta T + \tilde{a} \frac{(\Delta T)^2}{2} \quad (9)$$

$$\omega_r(k) = \omega_r(k-1) + \tilde{a}\Delta T \quad (10)$$

$$a_r(k) = a_r(k-1) = \tilde{a} \quad (11)$$

where k and $k-1$ refer to the current and the previous state, respectively.

Equations (9), (10) and (11) can be written in a matrix form as:

$$\begin{bmatrix} \vartheta_r(k) \\ \omega_r(k) \\ a_r(k) \end{bmatrix} = \begin{bmatrix} 1 & \Delta T & \frac{\Delta T^2}{2} \\ 0 & 1 & \Delta T \\ 0 & 0 & 1 \end{bmatrix} \cdot \begin{bmatrix} \vartheta_r(k-1) \\ \omega_r(k-1) \\ a_r(k-1) \end{bmatrix} \quad (12)$$

Let us define the performed error of the estimate at step k as:

$$\varepsilon(k) = a_r(k) - \tilde{a} \rightarrow a_r(k) = \varepsilon(k) + \tilde{a} \quad (13)$$

Therefore the following relation can be written:

$$a_r(k-1) = \varepsilon(k-1) + \tilde{a}$$

Finally, relation (12) can be modified as:

$$\begin{bmatrix} \vartheta_r(k) \\ \omega_r(k) \\ \varepsilon(k) \end{bmatrix} + \begin{bmatrix} 0 \\ 0 \\ \tilde{a} \end{bmatrix} = \begin{bmatrix} 1 & \Delta T & \frac{\Delta T^2}{2} \\ 0 & 1 & \Delta T \\ 0 & 0 & 1 \end{bmatrix} \cdot \left\{ \begin{bmatrix} \vartheta_r(k-1) \\ \omega_r(k-1) \\ a_r(k-1) \end{bmatrix} + \begin{bmatrix} 0 \\ 0 \\ \tilde{a} \end{bmatrix} \right\} \quad (14)$$

$$\begin{bmatrix} \Delta \vartheta_r(k) \\ \omega_r(k) \\ \varepsilon(k) \end{bmatrix} = \begin{bmatrix} 0 & \Delta T & \frac{\Delta T^2}{2} \\ 0 & 1 & \Delta T \\ 0 & 0 & 1 \end{bmatrix} \cdot \begin{bmatrix} \Delta \vartheta_r(k-1) \\ \omega_r(k-1) \\ a_r(k-1) \end{bmatrix} + \begin{bmatrix} \frac{\Delta T^2}{2} \\ \frac{2}{\Delta T} \\ 0 \end{bmatrix} \tilde{a} \quad (15)$$

$$\begin{bmatrix} \vartheta_r(k) \\ \omega_r(k) \\ \varepsilon(k) \end{bmatrix} = \begin{bmatrix} 1 & \Delta T & \frac{\Delta T^2}{2} \\ 0 & 1 & \Delta T \\ 0 & 0 & 1 \end{bmatrix} \cdot \begin{bmatrix} \vartheta_r(k-1) \\ \omega_r(k-1) \\ a_r(k-1) \end{bmatrix} + \begin{bmatrix} \frac{\Delta T^2}{2} \\ \frac{2}{\Delta T} \\ 0 \end{bmatrix} \tilde{a} \quad (16)$$

In order to obtain relations in compact form, the following positions are established:

$$\underline{x}(k) = \begin{bmatrix} \vartheta_r(k) \\ \omega_r(k) \\ \varepsilon(k) \end{bmatrix};$$

$$[A] = \begin{bmatrix} 1 & \Delta T & \frac{\Delta T^2}{2} \\ 0 & 1 & \Delta T \\ 0 & 0 & 1 \end{bmatrix};$$

$$\underline{x}(k-1) = \begin{bmatrix} \vartheta_r(k-1) \\ \omega_r(k-1) \\ a_r(k-1) \end{bmatrix};$$

$$\underline{b} = \begin{bmatrix} \frac{\Delta T^2}{2} \\ \frac{2}{\Delta T} \\ 0 \end{bmatrix}; \quad u = \tilde{a}.$$

Finally, the model in a compact form can be written as follows:

$$\underline{x}(k) = [A] \cdot \underline{x}(k-1) + \underline{b} \cdot u \quad \text{State equation (17)}$$

$$y(k) = [\Delta \vartheta(k)] \quad \text{Output equation (18)}$$

The above model is linear and time-invariant since the matrix coefficients are constant.

On the basis of the previous model, an observer based on the Kalman filter can be implemented [13], [17]. Actually, the following non-linear and time-invariant system can be written:

$$\begin{cases} \underline{x}_k = f(\underline{x}_{k-1}, \underline{u}_k, k) + \underline{w}_k \\ \underline{y}_k = h(\underline{x}_k, \underline{u}_k, k) + \underline{v}_k \end{cases} \quad (19)$$

where:

- \underline{x}_k is the state equation;
- \underline{y}_k is the output equation;
- f and h are generic equations;
- \underline{u}_k is the input of the system;
- k is the sampling step;
- \underline{w}_k is the noise produced by both disturbances and model accuracies;
- \underline{v}_k is the noise on the output that is linked to the measurement process.

Noises are assumed to be Gaussian with zero mean.

The implemented algorithm, which is based on the EKF (Extended Kalman Filter), requires two separate processes:

1. Prediction

$$\tilde{\underline{x}}_k = A \hat{\underline{x}}_{k-1} + b \tilde{a}_k \quad (20)$$

2. Correction

$$\hat{\underline{x}}_k = \tilde{\underline{x}}_k + \underline{g}(y_k - c^T \tilde{\underline{x}}_k) \quad (21)$$

where “g” is the gain vector that is assumed as:

$$\underline{g} = \begin{bmatrix} g_1 \\ g_2 \\ g_3 \end{bmatrix} \quad \text{and} \quad c^T = [1 \ 0 \ 0].$$

The proposed procedure assumes the $\Delta \vartheta(k) = \vartheta(k) - \vartheta(k-1)$ position change instead of

the $\vartheta(k)$ position as output. In this case, the dynamic equation becomes:

$$\vartheta_r(k) = \vartheta_r(k-1) + \omega_r(k-1)(\Delta T) + \tilde{a} \frac{(\Delta T)^2}{2} \quad (22)$$

$$\vartheta_r(k) - \vartheta_r(k-1) = \omega_r(k-1)(\Delta T) + \tilde{a} \frac{(\Delta T)^2}{2} \quad (23)$$

$$\Delta \vartheta_r(k) = \vartheta_r(k) - \vartheta_r(k-1) = \omega_r(k-1)(\Delta T) + \tilde{a} \frac{(\Delta T)^2}{2} \quad (24)$$

On the other hand, the dynamic equations of speed and acceleration remain unchanged. Consequently the discrete complete model of the position-variation, speed and acceleration can be written as:

$$\begin{bmatrix} \Delta \vartheta_r(k) \\ \omega_r(k) \\ \varepsilon(k) \end{bmatrix} = \begin{bmatrix} 0 & \Delta T & \frac{\Delta T^2}{2} \\ 0 & 1 & \Delta T \\ 0 & 0 & 1 \end{bmatrix} \cdot \begin{bmatrix} \Delta \vartheta_r(k-1) \\ \omega_r(k-1) \\ a_r(k-1) \end{bmatrix} + \begin{bmatrix} \frac{\Delta T^2}{2} \\ \Delta T \\ 0 \end{bmatrix} \tilde{a} \quad (25)$$

Variations will be present only on the state vector of the [A] matrix:

$$\underline{x}_k = \underline{x}(k) = \begin{bmatrix} \Delta \vartheta_r(k) \\ \omega_r(k) \\ \varepsilon(k) \end{bmatrix}$$

$$[A] = \begin{bmatrix} 0 & \Delta T & \frac{\Delta T^2}{2} \\ 0 & 1 & \Delta T \\ 0 & 0 & 1 \end{bmatrix}$$

Finally, the discrete model becomes:

$$\underline{x}(k) = [A] \cdot \underline{x}(k-1) + \underline{b} \cdot u \quad (26)$$

$$y(k) = y_k = \Delta \vartheta(k) \quad (27)$$

where the output measured quantity corresponds to the position-variation.

For the discrete, linear and time-invariant model defined by the (25) matrix equation to be implemented on a DSC, a per unit (p.u.) transformation of the real quantities is required. Therefore equations (20) and (21) can be written in the following form:

$$\begin{cases} \Delta \hat{\vartheta}_{k,pu} = \Delta \tilde{\vartheta}_{k,pu} + g_1 \cdot (\Delta \vartheta_{k,pu} - \Delta \tilde{\vartheta}_{k,pu}) \\ \hat{\omega}_{k,pu} = \tilde{\omega}_{k,pu} + g_2 \cdot \frac{\vartheta_b}{\omega_b} \cdot (\Delta \vartheta_{k,pu} - \Delta \tilde{\vartheta}_{k,pu}) \\ \hat{\varepsilon}_{k,pu} = \tilde{\varepsilon}_{k,pu} + g_3 \cdot \frac{\vartheta_b}{a_b} \cdot (\Delta \vartheta_{k,pu} - \Delta \tilde{\vartheta}_{k,pu}) \end{cases}$$

Fig. 11 shows a flow-chart of the implemented algorithm.

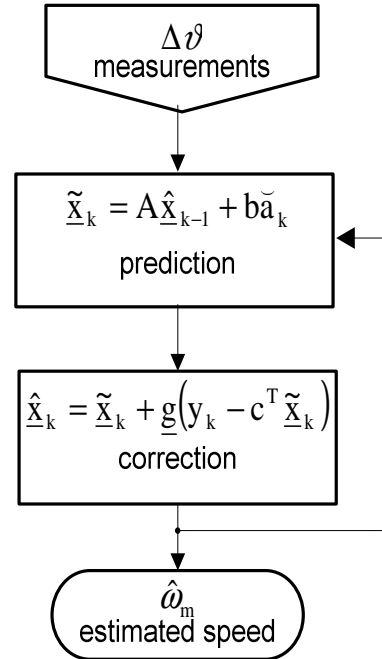


Fig.11 The implemented algorithm.

5 Experimental validation of the model

Fig. 12 shows the configuration of a laboratory monitoring system that can be adopted to estimate the quantity of emissions released into the environment in consequence of 1kWh energy consumption of one single motor, with data acquisition at the mechanical load side [14]. In laboratory tests the motor speed is measured while in normal cases the speed is estimated using the algorithm of Fig. 11. In order to easily obtain the consumed electric energy in kWh, the operation time of the motor is established as 1h. For certain established ω_m speeds, Tables 1 and 2 compare data either measured or estimated by a computation based on the implemented speed-estimate algorithm.

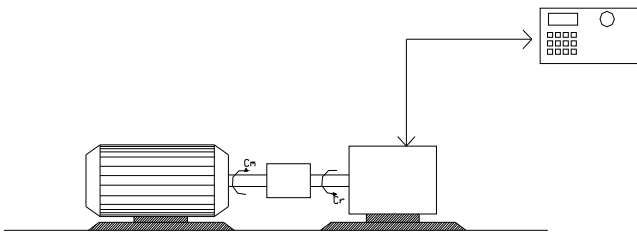


Fig.12 Motor test bench.

Table 1 Measured data.

Pe[W]	Pm[W]	ω_m [rpm]	ω_m [rad/s]	Cr+Ca [Nm]
3334.59	2734.36	1274.0	133.459	20.49
3401.58	2789.30	1300.0	136.137	20.49
3532.25	2896.45	1350.0	141.373	20.49
3270.65	2681.93	1250.0	130.900	20.49
3138.46	2573.54	1200.0	125.664	20.49
3009.03	2467.40	1150.0	120.428	20.49

Table 2 Estimated data.

ω_m [rpm]	ω_m [rad/s]	Pm	Pe
1274.527	133.468	2734.763	3335.08
1299.921	136.127	2789.251	3401.53
1350.196	141.392	2897.127	3533.08
1249.613	130.859	2681.306	3269.88
1200.036	125.667	2574.926	3140.16
1150.112	120.439	2467.806	3009.52

Tables 3 and e 4 show the amount of estimated particles released into the atmosphere as a consequence of the energy drawn and consumed by the tested motor.

Table 3 Estimate of the emitted particles.

Pe [W]	SO ₂ [g]	Nox[g]	Powders[g]	CO ₂ [g]	SF ₆ [g]	H ₂ S[g]
3334.59	3.1016	1.9343	.096717	1654.198	3.0016	13.340
3401.58	3.1634	3.1634	.098644	1687.157	3.0614	13.606
3532.25	3.2858	3.2859	.102459	1752.409	3.1798	14.132
3270.65	3.0409	3.0409	.094827	1621.863	2.9429	13.079
3138.46	2.9203	2.9203	.091064	1557.516	2.8261	12.561
3009.03	2.7988	2.7988	.087276	1492.722	2.7086	12.038

Table 4 Estimate of other emitted particles.

Pe [W]	Cells pollutant load [g]	Metals [g]	Nitrogen [g] (total)	Phosphorus [g] (total)	COD[g]
3334.59	1247.319	.133403	4.002092	0.43356	17.3424
3401.58	1272.171	.136061	4.081831	0.442198	17.6879
3532.25	1321.373	.141323	4.239698	0.459301	18.3720
3270.65	1222.937	.130795	3.923863	0.425085	17.0034
3138.46	1174.418	.125606	3.768185	0.40822	16.3288
3009.03	1125.56	.120381	3.611424	0.391238	15.6495

A validation procedure was performed also on the behavior of the algorithm of Fig. 11. In this case the (9) equation model was implemented on a DSC with quantities expressed per units. Fig. 13 compares the speeds estimated by the algorithm and those obtained from laboratory measurements. The saw-tooth function in the figure represents the normalized pulses counted by the encoder whereas the horizontal line consists of two overlapping straight lines representing the measured and estimated speeds, respectively.

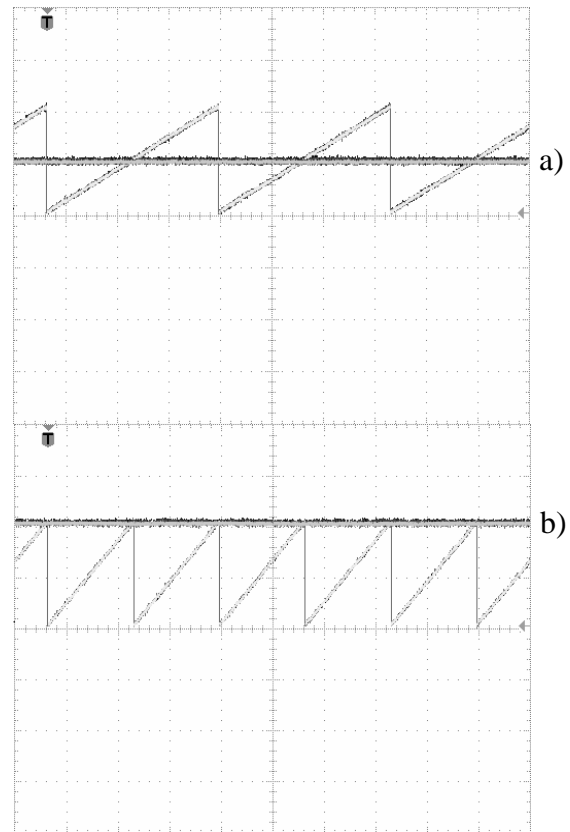


Fig.13 Estimated and measured speeds vs. time as shown by a measurement oscilloscope; a) $\hat{\omega}_{mpu} = 0.5p.u.$ b) $\hat{\omega}_{mpu} = 1p.u.$

As an example, Figs. 14, 15, 16, 17, 18, 19 20, 21, 22 show the results supplied by the estimate algorithm concerning the particles released into the atmosphere for different load torques and mechanical speeds of the tested motor.

The adoption of an environment management system allows a census of the pollutant emissions which are mainly metals and compounds, nitrogen and compounds, phosphorus and compounds, and in lower quantities the COD (Chemical Oxygen Demand) and BOD (Biochemical Oxygen Demand) parameters.

