# Study of Matching Errors in Unit Element Approach of Current-Steering Segmented DAC Design 

MIRCEA TOMOROGA, LUCIAN JURCA<br>Department of Applied Electronics<br>"Politehnica" University of Timisoara<br>B-dul Vasile Parvan nr.2, Timisoara<br>ROMANIA


#### Abstract

In this paper we aim to optimize the splitting of the input control code of a current-steering segmented digital-to-analog converter which uses identical unit current sources only. Both matching error and area are taken into discussion to analyze the static and dynamic performances of the converter. Power consumption considerations are presented and the final optimized code segmentation will be offered for a $10-\mathrm{b}$ $0.35-\mu \mathrm{m}$ CMOS DAC included in a sub-bandgap mechanism.


Keywords:Current-steering DAC, segmented DAC, unit current source, matching error, sub-bandgap reference.

## 1 Introduction

In the current-steering DACs design the unit element approach leads to a regular layout where special layout techniques can be used to reduce the effect of matching errors [1], [2]. Furthermore, in order to obtain a better dynamic performance, especially regarding SFDR, the dynamic randomization of the unit current sources or dynamic element matching (DEM) has been intensively studied and implemented. Thus, the matching errors become signal-independent and the linearity of the converter is significantly improved. Consequently, switchingsequence mapping algorithms have been recently developed and used in both Nyquist-rate data conversion, [2], [3] and oversampling-rate data conversion [4].

Very interesting segmented architectures of current-steering digital-to-analog converters were presented in [2], [5] and [6], but there the dynamic randomization is made at most inside each segment of the code because the current sources are not identical over the segments. Typically, the fullrandomization techniques are used in lower-bit DACs and for example in the feedback DACs in sigma-delta ADCs [2], [4]. Only few works [2], [3] discuss or implement the full randomization, but there the number of input bits is still limited.

However, the current-steering segmented DAC proposed in [7] allows the implementation of the full randomization because both segments control identical current-source blocks. Moreover, this converter presents very good immunity to the switching activity. The feature is extremely important because it is known that the randomization
techniques, for the thermometer case, basically destroy the low-glitch properties.

So, in section 2 of the paper we will present briefly the principle of the converter described in [7] and in section 3 we will determine, theoretically and by simulation, the influence of matching errors in the standard deviation $\sigma$ of the maximum output voltage of the converter. Our approach will follow the Pelgrom's rules [8], sustained and confirmed over the years [9], especially regarding the mismatchgenerating process caused by the short correlation distance. This means that the distance between events which cause mismatch (local mobility fluctuation, oxide granularity, etc.) is much smaller than the transistor dimensions and the transistors are located close to each other. Many known processes present in first order this behavior.

The mismatch-generating process caused by the long correlation distance (the matching is dependent of the distance between transistors over the wafer and originates from wafer fabrication and oxidation process) is a deterministic process, but, as the original placement of dies on a wafer is unknown after packaging it is modeled as an additional stochastic process, [8] and its parameters can be included in the process specification parameters which characterize the first type of behavior.

In section 4 a more general analysis, for different segmentations of the input code, will be presented. Both matching error and area will be considered to analyze the performances of the converter. Power consumption features are estimated and the final optimized code segmentation will be offered for a $10-\mathrm{b} 0.35-\mu \mathrm{m}$ CMOS DAC.

Section 5 will conclude the paper.

## 2 Current-Steering DAC Overlapping the Sub-Bandgap Reference

As it was shown in [7] the sub-bandgap reference taken into consideration allows us to obtain a current independent of temperature which is mirrored in the last branch of the circuit and injected in the resistor $\mathrm{R}_{3}$ (see fig.1). The way to obtain a $10-\mathrm{b}$ segmented digital-to-analog converter is to mirror the output current of the reference in $2 \times\left(2^{5}-1\right)$ branches (grouped on two identical blocks) through which the currents are switched or not towards the resistors $\mathrm{R}_{8}$ and $R_{9}$ connected as in fig.2. In each block the unit
current sources are controlled by 5 switches in such a way that the LSB will control a single unit current source, the next will control two unit current sources, while the MSB of each segment will control $2^{5-1}$ unit current sources. For simplicity, we omitted from fig. 2 the switches located in the drain of pMOS transistors and the complementary current outputs too. In order to ensure the weighting of $2^{5}: 1$ in the output voltage contribution the ratio of resistor values $R_{9}$ and $R_{8}$ must be $2^{5}-1$. The number of transistors used as unit current sources is 62 instead of 1023 if no segmentation is performed.

Of course this converter was conceived in order to be controlled by a modified digital input according to DEM techniques, case in which each unit current source will be controlled by a switch.


Fig. 1 Sub-bandgap voltage reference with curvature compensation


## 3 Standard deviation of the maximum output voltage

Our purpose is to calculate and verify by simulation the standard deviation $\sigma_{M}$ of the maximum output voltage $\mathrm{V}_{\mathrm{om}}$ of the converter presented in section 2, corresponding to the maximum digital input code. In this most unfavorable case all the unit current sources will inject currents trough the resistors $\mathrm{R}_{8}$ and $R_{9}$ and all transistors will statistically contribute with matching errors to the expected value of the output voltage. This gives us important information regarding the integral nonlinearity of the DAC.

First, we calculate the standard deviation $\sigma_{0}$ of the smallest output voltage of the converter, $\mathrm{V}_{\mathrm{o}-\mathrm{u}}$, corresponding to its resolution, when only the LSB of the input code is set to 1 . This situation is presented in fig.3. Then, based on the manner in which the maximum output voltage is obtained, and by using the properties of the normal distributions, we calculate $\sigma_{M}$.


Fig. 3 Unit current source controlled by the LSB

The unit current source is realized with a pMOS transistor whose control voltage $\mathrm{V}_{\mathrm{SG}}$ is supplied by the sub-bandgap mechanism. The aspect ratio of the transistor is W/L. The dimensions of the resistor $\mathrm{R}_{8}$ are $\mathrm{W}_{\mathrm{R} 8}$ and $\mathrm{L}_{\mathrm{R} 8}$ respectively. For simplicity, we omitted from fig. 3 the switch located in the transistor drain and the complementary output too. Then, $\mathrm{V}_{\mathrm{o} \_} \mathrm{u}$ is:

$$
\begin{equation*}
\mathrm{V}_{\mathrm{o}_{-} \mathrm{u}}=\mathrm{I}_{\mathrm{u}} \cdot \mathrm{R}_{8} \tag{1}
\end{equation*}
$$

where $I_{u}$ is the current of the transistor working in the saturation region :

$$
\begin{equation*}
I_{u}=\frac{\beta_{u}}{2}\left(V_{S G}-V_{t h}\right)^{2}, \tag{2}
\end{equation*}
$$

where $\beta_{u}$ is the transconductance parameter and $V_{\text {th }}$ is the treshold voltage. Differentiating (2) and
combining with equation (2) we obtain the absolute error of the unit current[2]:

$$
\begin{equation*}
\Delta \mathrm{I}_{\mathrm{u}}=\Delta \beta_{\mathrm{u}} \cdot \frac{\mathrm{I}_{\mathrm{u}}}{\beta_{\mathrm{u}}}-\Delta \mathrm{V}_{\mathrm{th}} \cdot \frac{2 \mathrm{I}_{\mathrm{u}}}{\mathrm{~V}_{\mathrm{SG}}-\mathrm{V}_{\mathrm{th}}} \tag{3}
\end{equation*}
$$

Further, differentiating equation (1) and using equation (3), we can find, after normalization, the relative error of the output voltage :

$$
\begin{equation*}
\frac{\Delta \mathrm{V}_{\mathrm{o} \_\mathrm{u}}}{\mathrm{~V}_{\mathrm{o}_{-} \mathrm{u}}}=\frac{\Delta \beta_{\mathrm{u}}}{\beta_{\mathrm{u}}}-\frac{2}{\mathrm{~V}_{\mathrm{SG}}-\mathrm{V}_{\mathrm{th}}} \cdot \Delta \mathrm{~V}_{\mathrm{th}}+\frac{\Delta \mathrm{R}_{8}}{\mathrm{R}_{8}} . \tag{4}
\end{equation*}
$$

Considering that $\beta_{\mathrm{u}}, \mathrm{V}_{\mathrm{th}}$ and $\mathrm{R}_{8}$ follow normal distributions, we can write [8]:

$$
\begin{align*}
& \sigma^{2}\left(\frac{\Delta \beta_{\mathrm{u}}}{\beta_{\mathrm{u}}}\right)=\frac{\mathrm{A}_{\beta}^{2}}{\mathrm{WL}} ; \quad \sigma^{2}\left(\Delta \mathrm{~V}_{\mathrm{th}}\right)=\frac{\mathrm{A}_{\mathrm{VT}}^{2}}{\mathrm{WL}} ; \\
& \sigma^{2}\left(\frac{\Delta \mathrm{R}_{8}}{\mathrm{R}_{8}}\right)=\frac{\mathrm{A}_{\mathrm{R}}^{2}}{\mathrm{~W}_{\mathrm{R} 8} \mathrm{~L}_{\mathrm{R} 8}} \tag{5}
\end{align*}
$$

Equations (5) give us the variances of $\beta_{u}, V_{\text {th }}$ and $\mathrm{R}_{8}$ depending on the process parameters $\mathrm{A}_{\beta}, \mathrm{A}_{\mathrm{VT}}$ and $A_{R}$ (Pelgrom coefficients) and on the area of the devices.

Because $\beta_{\mathrm{u}}, \mathrm{V}_{\text {th }}$ and $\mathrm{R}_{8}$ are mutually independent, the variance of the output-voltage relative error is:
$\sigma^{2}\left(\frac{\Delta \mathrm{~V}_{\mathrm{o} \text { _u }}}{\mathrm{V}_{\mathrm{o}-\mathrm{u}}}\right)=\frac{\mathrm{A}_{\beta}^{2}}{\mathrm{WL}}+\frac{4}{\left(\mathrm{~V}_{\mathrm{SG}}-\mathrm{V}_{\mathrm{th}}\right)^{2}} \cdot \frac{\mathrm{~A}_{\mathrm{VT}}^{2}}{\mathrm{WL}}+\frac{\mathrm{A}_{\mathrm{R}}^{2}}{\mathrm{~W}_{\mathrm{R} 8} \mathrm{~L}_{\mathrm{R} 8}}$
Now, we can deduce the practical formula which gives us the standard deviation $\sigma_{0}=\sigma\left(\Delta \mathrm{V}_{\text {o_u }}\right)$ :

$$
\begin{equation*}
\sigma_{0}=V_{\mathrm{o}-\mathrm{u}}\left(\frac{\mathrm{~A}_{\beta}^{2}}{\mathrm{WL}}+\frac{2 \beta_{\mathrm{u}}^{\prime} \frac{\mathrm{W}}{\mathrm{~L}} \mathrm{R}_{8}}{\mathrm{~V}_{\mathrm{o}-\mathrm{u}}} \cdot \frac{\mathrm{~A}_{\mathrm{VT}}^{2}}{\mathrm{WL}}+\frac{\mathrm{A}_{\mathrm{R}}^{2}}{\mathrm{~W}_{\mathrm{R} 8} \mathrm{~L}_{\mathrm{R} 8}}\right)^{\frac{1}{2}} \tag{7}
\end{equation*}
$$

where $\beta_{u}^{\prime}$ is the process transconductance and $V_{o \_u}$ is the resolution of the DAC. Because $\mathrm{V}_{\mathrm{o}-u}$ can be regarded as a sub-bandgap voltage, according to [7], $\mathrm{R}_{1}$ from fig. 1 and $\mathrm{R}_{8}$ satisfy the equation:

$$
\begin{equation*}
\frac{\mathrm{R}_{1}}{\mathrm{R}_{8}}=\frac{\mathrm{V}_{\mathrm{BG}}}{\mathrm{~V}_{\mathrm{o} \_\mathrm{u}}} \cdot \frac{(\mathrm{~W} / \mathrm{L})_{\text {unit_current_sources }}}{(\mathrm{W} / \mathrm{L})_{\text {sub-bandgap }}} \tag{8}
\end{equation*}
$$

where $\mathrm{V}_{\mathrm{BG}}{ }^{-}$is the band-gap voltage and $(\mathrm{W} / \mathrm{L})_{\text {sub_bandgap }}$ is the aspect ratio of the pMOS transistors from fig.1. The design specifications of the sub-bandgap reference can be found in [7].

In our design we adopted $\mathrm{V}_{\mathrm{o}-\mathrm{u}}=0.5 \mathrm{mV}, \mathrm{R}_{8}=85 \Omega$, $\mathrm{W} / \mathrm{L}=250 \mathrm{u} / 25 \mathrm{u}$ and $\mathrm{W}_{\mathrm{R} 8} \cdot \mathrm{~L}_{\mathrm{R} 8}=2 \mathrm{~W} \cdot \mathrm{~L}$. From our process specification $(* * * 0.35 \mu \mathrm{~m}$ CMOS $)$ we have: $\mathrm{A}_{\beta}=1,13 \% \cdot \mu \mathrm{~m}, \mathrm{~A}_{\mathrm{VT}}=10,87 \mathrm{mV} \cdot \mu \mathrm{m}, \mathrm{A}_{\mathrm{R}}=6,7 \% \cdot \mu \mathrm{~m}$ and $\beta_{u}^{\prime}=67,4 \mu \mathrm{~A} / \mathrm{V}^{2}$. Thus, we obtain the standard deviation $\sigma_{0}$ :

$$
\begin{equation*}
\sigma_{0}=0,5 \mathrm{mV} \times 10^{-3} \times(0.02+4.33+0.36)^{0.5} \cong 1.085 \mu \mathrm{~V} . \tag{9}
\end{equation*}
$$

We observe, as in the conclusions formulated in [8] that the predominant term in the square root is the second one (if the resistor area is at least twice the transistor area) and this means that the main cause of the matching errors is the variation of the oxide thickness which modify the threshold voltage of the pMOS transistor.

Further, the maximum output voltage of the converter $\mathrm{V}_{\mathrm{oM}}$ is the voltage across the resistors $\mathrm{R}_{8}$ and $\mathrm{R}_{9}$ (fig.2):

$$
\begin{equation*}
V_{\mathrm{oM}}=\sum_{j=1}^{62} \mathrm{I}_{\mathrm{uj}} \mathrm{R}_{8}+\sum_{\mathrm{k}=32}^{62} \mathrm{I}_{\mathrm{uk}} \mathrm{R}_{9} . \tag{10}
\end{equation*}
$$

Bearing in mind that $\mathrm{R}_{9}=31 \mathrm{R}_{8}$, to keep low the third term in the square root of the calculation (9) we must build $\mathrm{R}_{9}$ with unit resistors with equal area of $\mathrm{R}_{8}$. In this way $\mathrm{V}_{\mathrm{om}}$ becomes:

$$
\begin{align*}
& \mathrm{V}_{\mathrm{oM}}=\sum_{\mathrm{j}=1}^{62} \mathrm{I}_{\mathrm{uj}} \mathrm{R}_{8}+\sum_{\mathrm{k}=32}^{62}\left(\mathrm{I}_{\mathrm{uk}} \sum_{\mathrm{i}=1}^{31} \mathrm{R}_{8 \mathrm{i}}\right) \cong \\
& \cong \sum_{\mathrm{j}=1}^{62} \mathrm{I}_{\mathrm{uj}} \mathrm{R}_{8}+\sum_{\mathrm{k}=32}^{62}\left(\mathrm{I}_{\mathrm{uk}} 31 \mathrm{R}_{8}\right)=  \tag{11}\\
& =\sum_{\mathrm{j}=1}^{62} \mathrm{~V}_{\mathrm{oMj}}+\sum_{\mathrm{k}=32}^{62}\left(31 \mathrm{~V}_{\mathrm{oMk}}\right)
\end{align*}
$$

and all the $62+31$ terms are mutually independent. It is known that the variance of the sum of terms with normal distribution is the sum of the variances of each term and, more important, the variance of the product of a positive number with a term with normal distribution is given by the product of the number square with the variance of the term. Thus, the variance of the maximum output voltage
becomes:

$$
\sigma_{\mathrm{M}}^{2}=62 \sigma_{\mathrm{o}}^{2}+31 \cdot 31^{2} \sigma_{\mathrm{o}}^{2}=29853 \sigma_{\mathrm{o}}^{2}, \quad \text { and }
$$

consequently the standard deviation of $\mathrm{V}_{\mathrm{OM}}$ is:

$$
\sigma_{\mathrm{M}} \cong 173 \sigma_{\mathrm{o}}=0.187 \mathrm{mV}
$$

The whole converter was designed (for $\mathrm{n}=10$ ) and simulated using the OrCAD program and a library including PSPICE models of the $0.35 \mu \mathrm{~m}$ CMOS technology. Special parameters were included in the PSPICE models of the pMOS transistors (as in the case of the default resistor tolerance) which allowed the Monte Carlo analysis using these active components with stochastic matching. The Monte Carlo analysis included 200 runs and the simulation results are presented in fig.4.

As we can observe in fig.4, the standard deviation $\sigma$ of the maximum output voltage is 0.18 mV , so it is very close of the calculated value. In roughly $85 \%$ of cases (of chips) the maximum deviation of the output voltage is under half of the DAC resolution. $3 \sigma$ is 0.54 mV i.e. in $99,7 \%$ of cases the maximum output voltage deviation is roughly under its resolution $(<0.5 \mathrm{mV})$. The expected value of the Vout is 511.57 mV instead of 511.5 mV .

## 4 Study of matching errors for different code segmentations

In this section we will analyze the effect of the modification of the code segmentation. We consider a converter with N bits, out of which $\mathrm{N}_{\mathrm{LS}}$ bits for the less significant segment and $\mathrm{N}_{\mathrm{MS}}=\mathrm{N}-\mathrm{N}_{\mathrm{LS}}$ bits for the most significant segment. We obtain the maximum output voltage of the converter by using the same


Fig. 4 Results of the Monte Carlo simulation of the DAC
arrangement of terms as in equation (11):

$$
\begin{align*}
& \mathrm{V}_{\mathrm{oM}}=\left(2^{\mathrm{N}}-1\right) \mathrm{V}_{\mathrm{o}_{-} \mathrm{u}}= \\
& =\left[\left(2^{\mathrm{N}_{\mathrm{LS}}}-1\right)+\left(2^{\mathrm{N}-\mathrm{N}_{\mathrm{LS}}}-1\right)\right] \mathrm{V}_{\mathrm{o}_{-\mathrm{u}}}+  \tag{12}\\
& +\left(2^{\mathrm{N}-\mathrm{N}_{\mathrm{LS}}}-1\right)\left[\left(2^{\mathrm{N}_{\mathrm{LS}}}-1\right) \mathrm{V}_{\mathrm{o}_{-} \mathrm{u}}\right]
\end{align*}
$$

and we used $\mathrm{N}_{\mathrm{tr}} \mathrm{pMOS}$ transistors:

$$
\begin{equation*}
N_{t r}=\left(2^{N_{L S}}-1\right)+\left(2^{\mathrm{N}-\mathrm{N}_{\mathrm{LS}}}-1\right) \tag{13}
\end{equation*}
$$

and $\mathrm{N}_{\text {res }}$ unit resistors:

$$
\begin{equation*}
\mathrm{N}_{\mathrm{res}}=2^{\mathrm{N}_{\mathrm{LS}}} . \tag{14}
\end{equation*}
$$

In the special case in which $\mathrm{N}_{\mathrm{Ls}}=\mathrm{N}$, then $2^{\mathrm{N}}-1$ unit resistors become open-circuit and $\mathrm{N}_{\text {res }}=1$.

Following the same approach as in the previous section, the variance of the maximum output voltage will be:

$$
\begin{align*}
& \sigma_{o \mathrm{M}}^{2}=\left[\left(2^{\mathrm{N}_{L S}}-1\right)+\left(2^{\mathrm{N}-\mathrm{N}_{\mathrm{LS}}}-1\right)\right] \sigma_{o}^{2}+ \\
& +\left(2^{\mathrm{N}-\mathrm{N}_{\mathrm{LS}}}-1\right)\left(2^{\mathrm{N}_{\mathrm{LS}}}-1\right)^{2} \sigma_{o}^{2} \tag{15}
\end{align*}
$$

If $\mathrm{N}_{\mathrm{LS}}=0$, or $\mathrm{N}_{\mathrm{LS}}=\mathrm{N}$ we have no segmentation.
For $\mathrm{N}=10$ and different values of $\mathrm{N}_{\mathrm{LS}}$ we calculated $\sigma_{o M}, 3 \sigma_{o M}, N_{t r}$ and $N_{\text {res }}$. We verified $\sigma_{o M}$ and $3 \sigma_{\mathrm{oM}}$ by simulation and the results were very close to the calculated values. These results are synthesized in Table 1. In the last but one column the number of generic unit elements $\mathrm{N}_{\mathrm{u}}=\mathrm{N}_{\mathrm{tr}}+2 \mathrm{~N}_{\text {res }}$ is done.

Table 1

| $\mathrm{N}_{\mathrm{LS}}$ | $\sigma_{o M}$ <br> $[\mathrm{mV}]$ | $3 \sigma_{o M}$ <br> $[\mathrm{mV}]$ | $\mathrm{N}_{\text {tr }}$ | $\mathrm{N}_{\text {res }}$ | $\mathrm{N}_{\mathrm{u}}$ | $\mathrm{A}_{\mathrm{Z}}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 0 | 0,034 | 0,102 | 1023 | 1 | 1025 | 4.8 |
| 1 |  |  |  |  |  |  |
| 2 | 0,052 | 0,156 | 258 | 4 | 266 | 0.73 |
| 3 | 0,086 | 0.26 | 134 | 8 | 150 | 0.587 |
| 4 | 0,13 | 0.39 | 78 | 16 | 110 | 0.571 |
| 5 | 0,18 | 0.54 | 62 | 32 | 126 | 1 |
| 6 | 0.265 | 0.795 | 78 | 64 | 186 | 4 |
| 7 | 0.363 | 1.09 | 134 | 128 |  |  |
| 8 |  |  |  |  |  |  |
| 9 |  |  |  |  |  |  |
| 10 | 0,033 | 0,1 | 1023 | 1 | 1025 |  |

To establish a criteria of comparison between the different segmentations we first considered the segmentation with $\mathrm{N}_{\mathrm{LS}}=5$ as reference design with a normalized area $A_{z}$ of 1 relative unit, and with a power budget in static conditions determined by the sum of all unit currents of the reference design. Then we impose to the other segmented architectures to have the same power consumption. By examining the equation (7) we observe how the modification of the current $\quad I_{u}=V_{0 \_} / R_{8}$ produces a new standard
deviation value. Further, we modify the device area W.L in such a way that $\sigma_{0}$ changes from the last value to that corresponding to the reference design. The product of the new device area with the number of unit element in the segmented architecture, expressed in relative units, will tell us what design needs the smallest area for the same performances in precision and power consumption. The computed results of this algorithm can be found in the last column of Table 1. We observe that from the point of view of the adopted performance criteria the best segmented architectures correspond to $\mathrm{N}_{\mathrm{LS}}=4$ and $\mathrm{N}_{\mathrm{LS}}=3$. But, for the reason of the complexity of the switching circuitry needed for the implementation of the dynamic randomization techniques we can say that the best variant correspond to $\mathrm{N}_{\mathrm{LS}}=4$ because it uses the smallest number of transistors which must be switched.

## 5 Conclusions

In this paper we optimized the splitting of the input control code of a current-steering segmented digital-to-analog converter which uses identical unit current sources only. The analysis of matching errors, area and power consumption led to an optimum segmentation of a 10 -bit DAC with $\mathrm{N}_{\mathrm{LS}}=4$ and $\mathrm{N}_{\mathrm{MS}}=6$. The converter allows the implementation of the full dinamic randomization and presents a very good imunity to the switching activity involved in DEM techniques.

## References:

[1] R. Jacob Baker, CMOS: Circuit Design, Layout, and Simulation, 2nd Edition, Wiley-IEEE Press, 2007.
[2] J.J. Wikner, Studies on CMOS Digital-to-Analog Converters, Dissertation No.667, Linköping University, Sweden, 2001.
[3] D.H. Lee, Y.H. Lin and T.H. Kuo, Nyquist-Rate Current-Steering Digital-to-Analog Converters with Random Multiple Data-Weighted Averaging Technique and $Q^{N}$ Rotated Walk Switching Scheme, IEEE Transactions on Circuits and Systems - II: Express Briefs, Vol.53, No.11, November 2006, pp.1264-1268.
[4] S. Reekmans, J. De Maeyer, P. Rombouts and L. Weyten, Quadrature Mismatch Shaping for Digital-to-Analog Converters, IEEE Transactions on Circuits and Systems - I: Regular Papers, Vol.53, No.12, December 2006, pp.2529-2538.
[5] W. Chen, J. Bauwelinck, P. Ossieur, X.Z. Qiu and J. Vandewege, A Current-Steering DAC Architecture with Novel Switching Scheme for

GPON Burst-Mode Laser Drivers, IEICE Transactions on Electronics, Vol. E90-C, No.4, April 2007, pp. 877-884.
[6] N.U. Andersson, K.OAndersson, M. Vesterbacka, and J. J. Wikner, Models and implementation of a dynamic element matching DAC, Analog Integrated Circuits and Signal Processing, Vol. 34 , Issue 1, January 2003, pp. $7-16$.
[7] M. Tomoroga, L. Jurca, M. Ciugudean and C. Toma, Low Voltage Low Glitch CurrentSteering DAC Overlapping the Voltage Reference Circuit, WSEAS Transactions on Circuits and Systems, Issue 3, Vol.6, March, 2007, pp. 273280.
[8] M. J. Pelgrom \& all, Matching Properties of MOS Transistors, IEEE JSSC, vol. SC-24, October 1989, pp.1433-1439.
[9] M. J. Pelgrom, A JSSC Classic Paper: Matching Properties of MOS Transistors, SSCS, January 2005 Issue.

